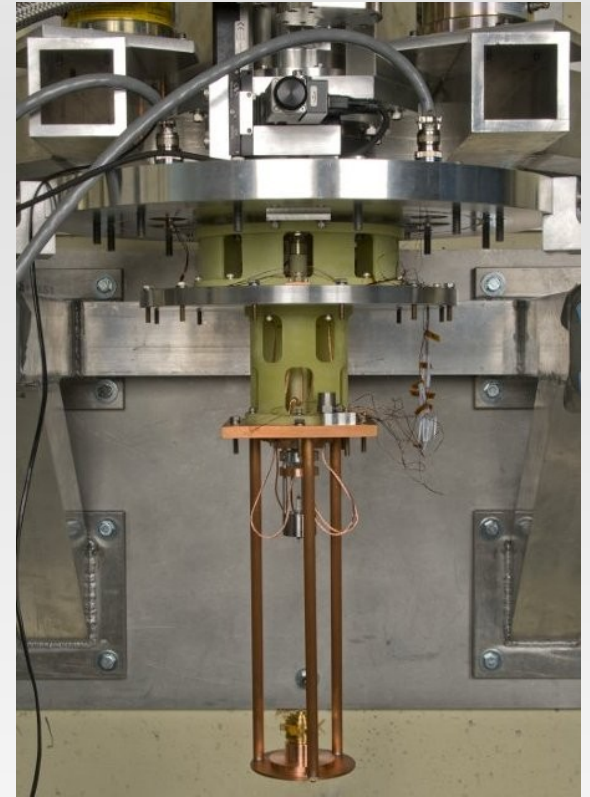
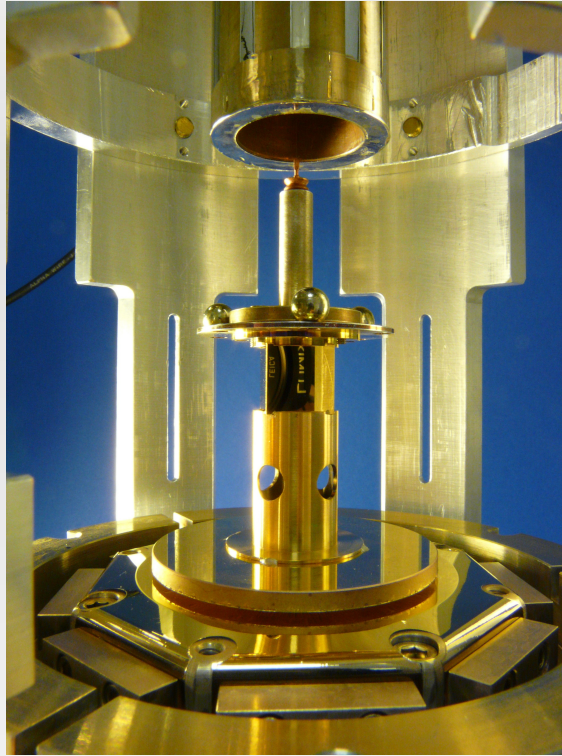
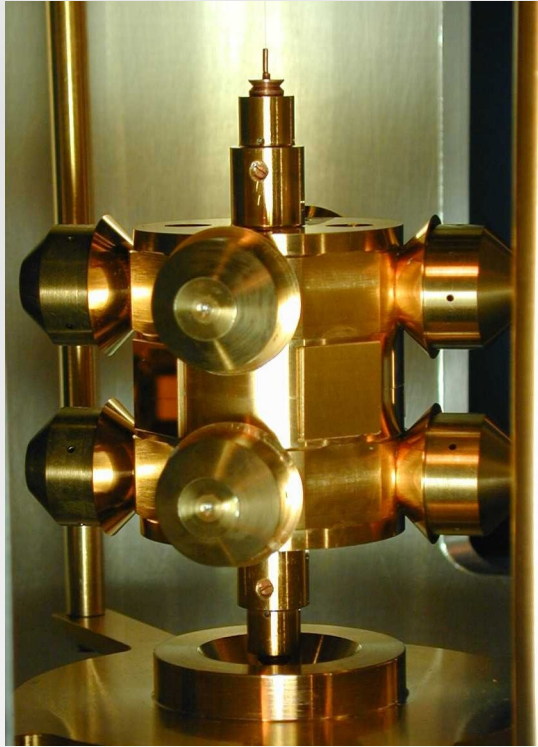
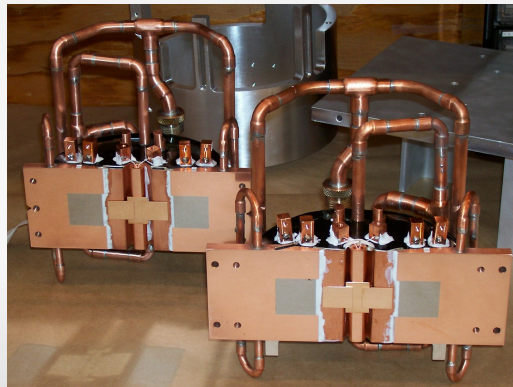


# Searching for new Interactions and Particles Using Torsion Balances



18 May 2012



Frank Fleischer,  
University of Washington

# Physics with torsion balances

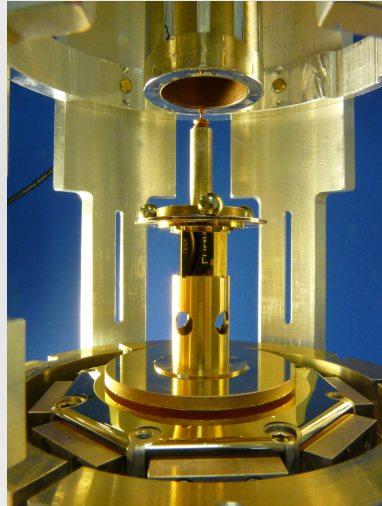
- Torsion balances can test regions of parameter space totally inaccessible to high energy physics experiments.

I will talk about:

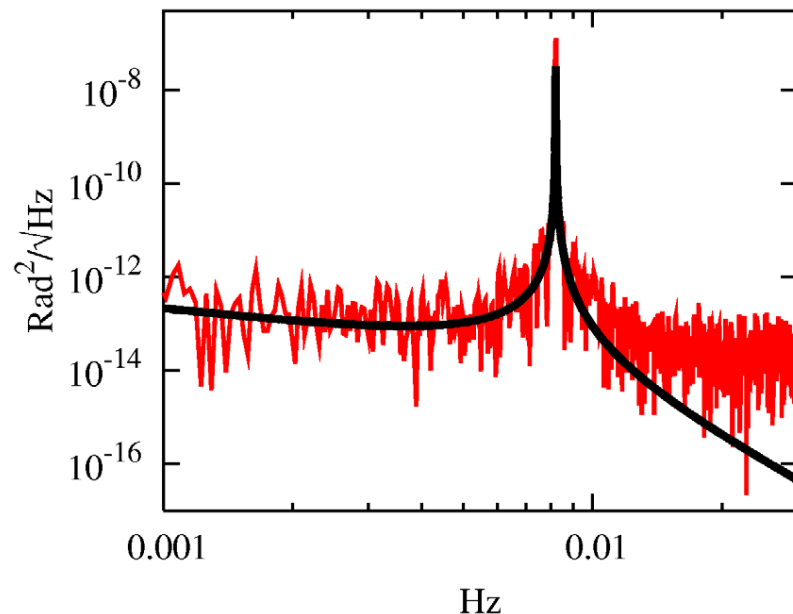
- Tests of the equivalence principle
- Tests of the inverse-square law
- Searching for macroscopic parity and time-reversal violating forces

# Torsion balances

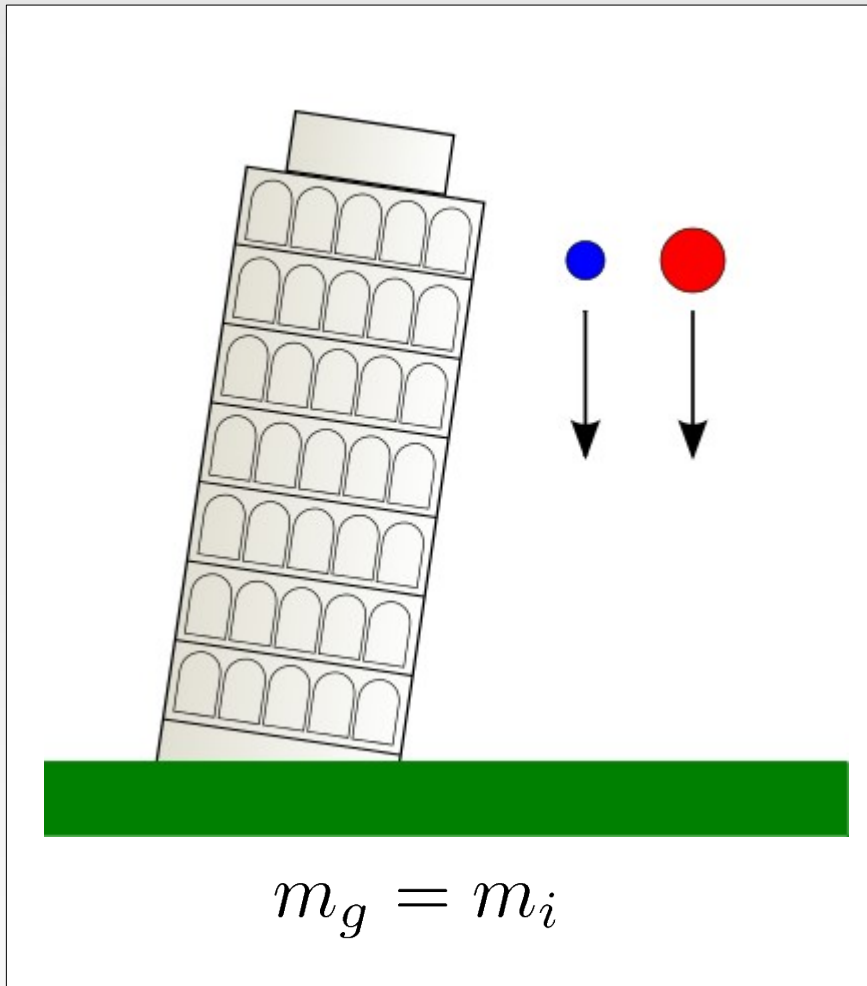
Our torsion balances can measure a force equivalent to the weight of a trillionth of a postage stamp!



- Enormous sensitivity due to having  $\sim 10^{23}$  particles interacting.
- Despite being macroscopic pendula, in many cases we can run them at the thermal noise limit.
- Can detect extremely small torques:  $\sim \text{fNm}$ !
- Very low energy physics, giving great complementary information to high energy results.



# The equivalence principle (EP)

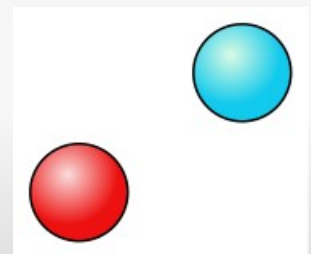
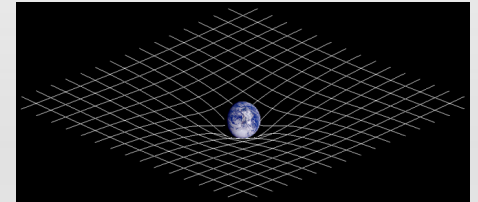


- Fundamental assumption of general relativity
- *locally* a homogenous gravitational field looks the same as a uniform acceleration of the frame
- usually tested via the universality of free fall (UFF)



# EP tests as searches for new interactions

- Test the foundation of general relativity
- Or assume the EP is exact for classical gravity:
  - use EP tests as extremely sensitive probes for new scalar or vector interactions!
- Many ideas for physics beyond the standard model introduce such interactions.
  - Torsion balance experiments provide stringent limits on such models!



# New forces?

- New vector or scalar forces will show up as an equivalence principle violation.
- parameterization:

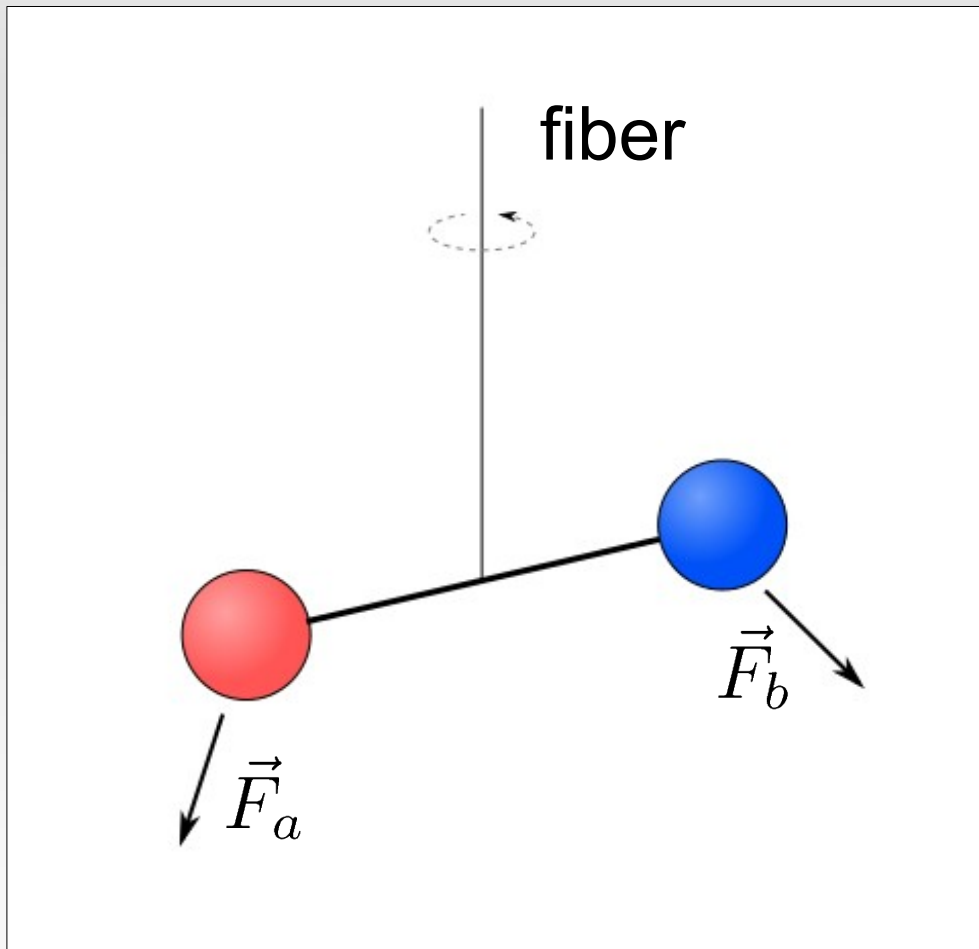
$$V(r) = -G \frac{m_1 m_2}{r} \left( 1 + \tilde{\alpha} \left[ \frac{\tilde{q}}{\tilde{g}\mu} \right]_1 \left[ \frac{\tilde{q}}{\tilde{g}\mu} \right]_2 e^{-r/\lambda} \right)$$

with a hypothetical "charge"

$$\tilde{q} = \tilde{g}(Z \cos \tilde{\psi} + N \sin \tilde{\psi})$$

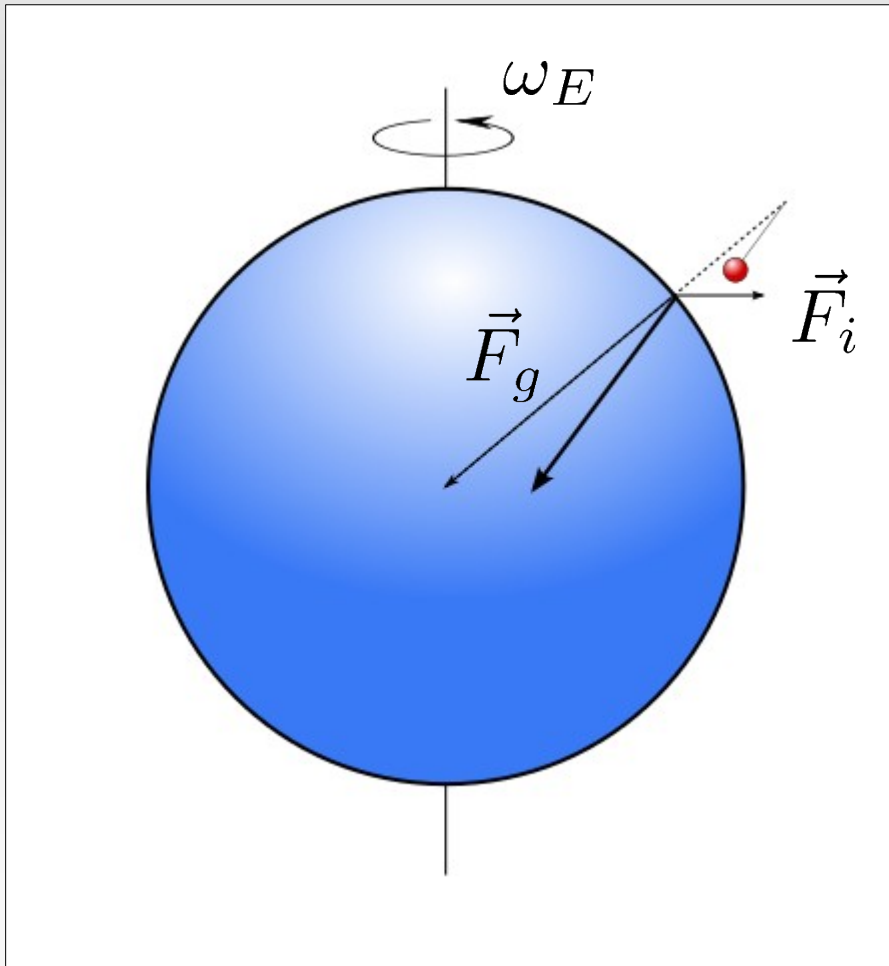
- This parameterization is exact for vector charges, scalar charges are more complicated – but we can expect this to work approximately even then.

# EP test torsion balances



- Simplified model of a pendulum for EP tests
  - ➔ Balance twists if the two force vectors are not parallel, i.e. if EP is violated or gravitational field is not uniform.
- Modulation: rotate balance or use the earth's rotation.

# Using the earth as a source mass



Can only use the horizontal component.

- If the EP is violated, "down" is not a unique direction!
- depends on the ratio of gravitational and inertial mass!



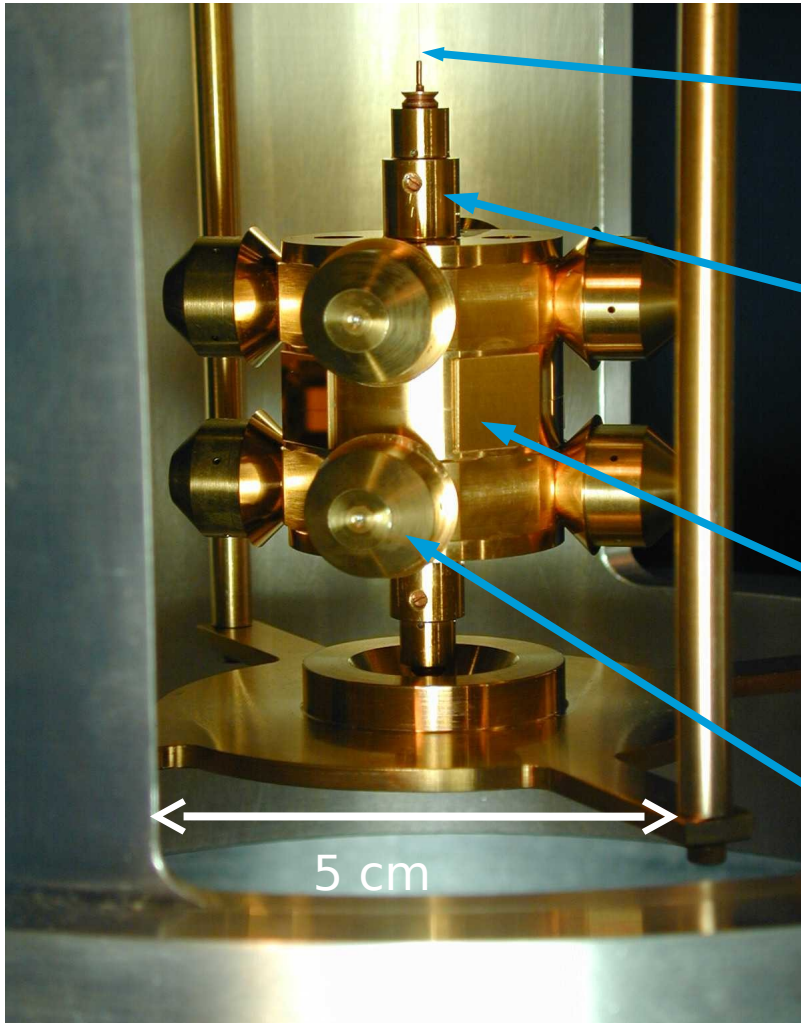
# Choice of test body materials

- Practical constraints: solid, non-magnetic
- For complete coverage of the parameter space, more than one test-body pair / attractor combination is necessary.
- Generally, large differences in number of neutrons and nuclear binding energy give greater sensitivity.

$\times 10^{-2}$	Be	PE	Al	Ti	Cu	Pt
Be		-12.65	-3.80	-1.58	-1.25	4.40
PE	-12.63		8.85	11.07	11.40	17.05
Al	-3.59	9.03		2.22	2.54	8.20
Ti	-1.33	11.29	2.26		0.32	5.98
Cu	-1.01	11.62	2.59	0.33		5.65
Pt	4.55	17.18	8.15	5.89	5.56	

<span style="color: orange;">■</span>	$\Delta(Z/\mu)$
<span style="color: blue;">■</span>	$\Delta(N/\mu)$

# The EP test pendulum



70g pendulum,  
suspended by a 20 $\mu$ m thick,  
1.08 m long tungsten fiber

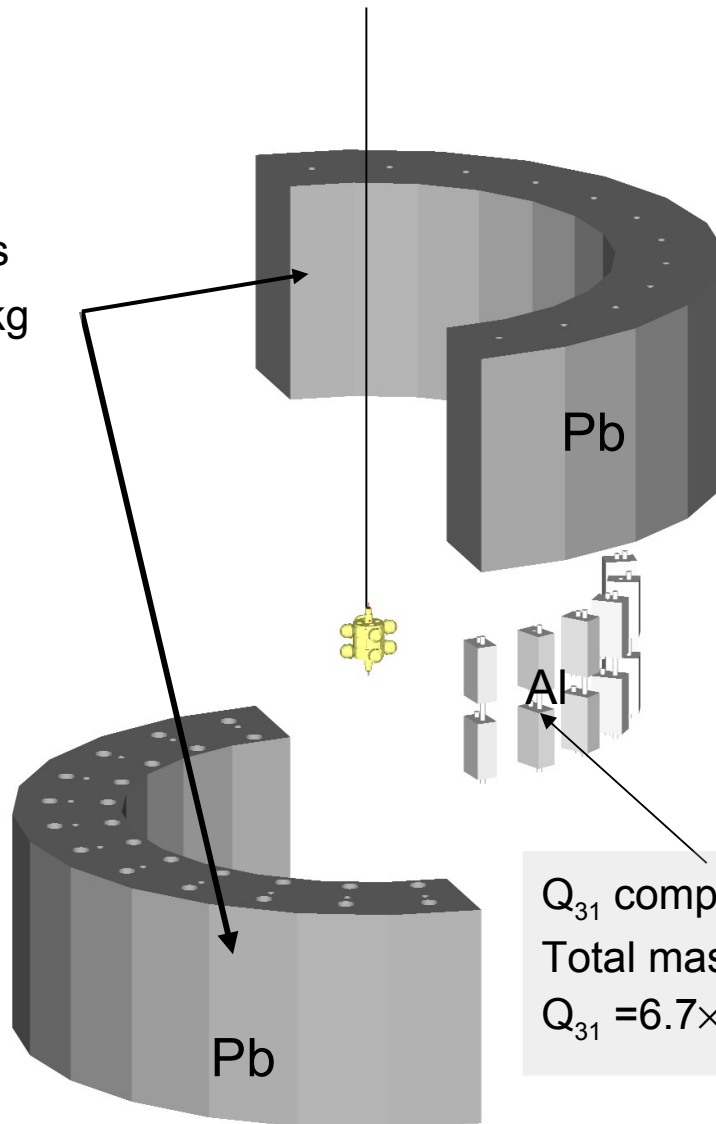
Screws to reduce residual  
coupling to gravitational  
gradients

Design minimizes coupling to  
gravitational gradients:  
4-fold azimuthal symmetry and  
top-bottom reflection symmetry

Eight test bodies  
(4 Be & 4 Ti) or (4 Be & 4 Al)  
4.84g each

# Gravity gradients

$Q_{21}$  compensators  
Total mass: 880 kg  
 $Q_{21} = 1.8 \text{ g/cm}^3$



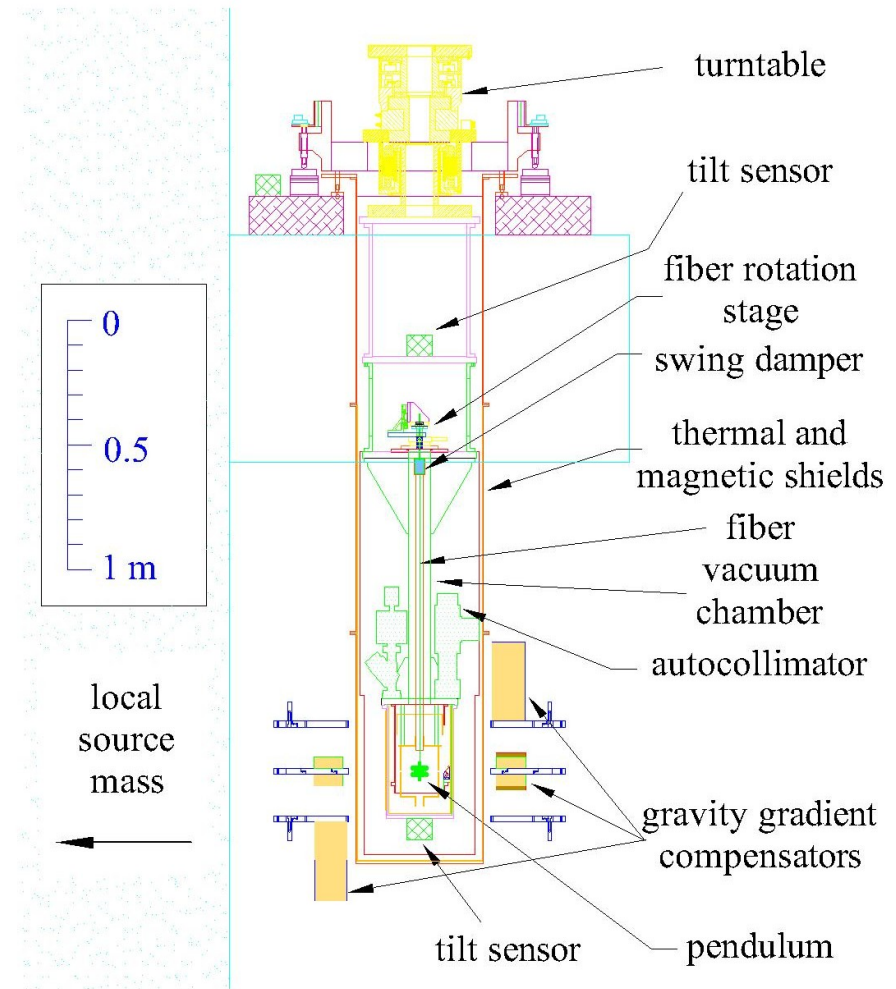
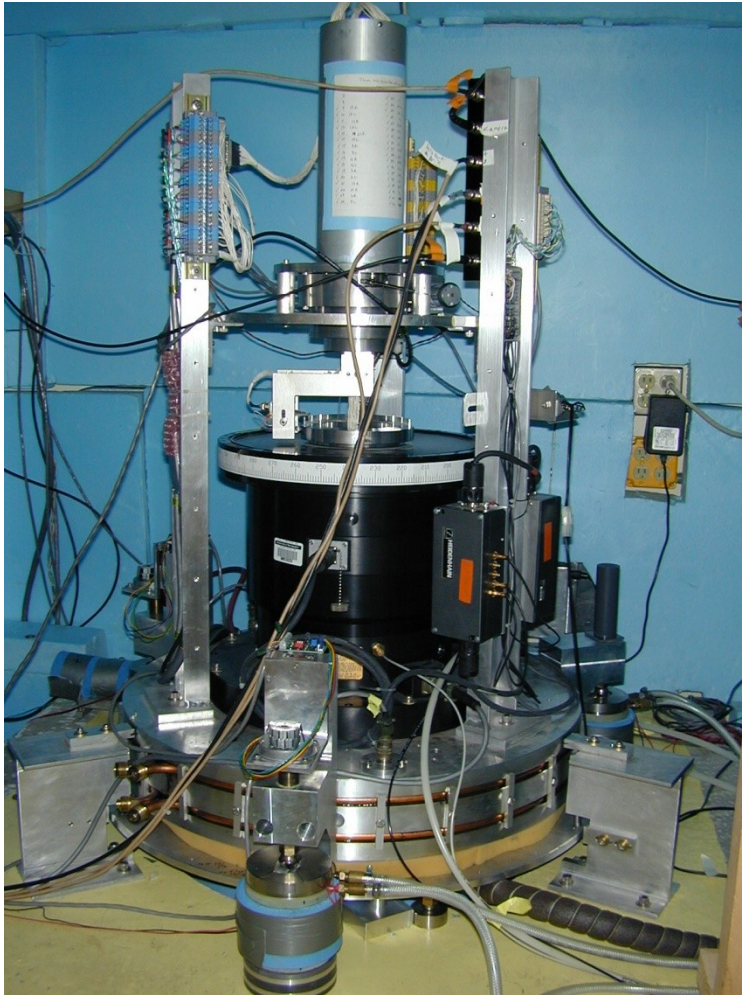
Compensators  
can be rotated  
by  $360^\circ$

$Q_{31}$  compensators  
Total mass: 2.4 kg  
 $Q_{31} = 6.7 \times 10^{-4} \text{ g/cm}^4$

hillside &  
local masses

# The turn table

High precision turn table for continuous smooth rotation.



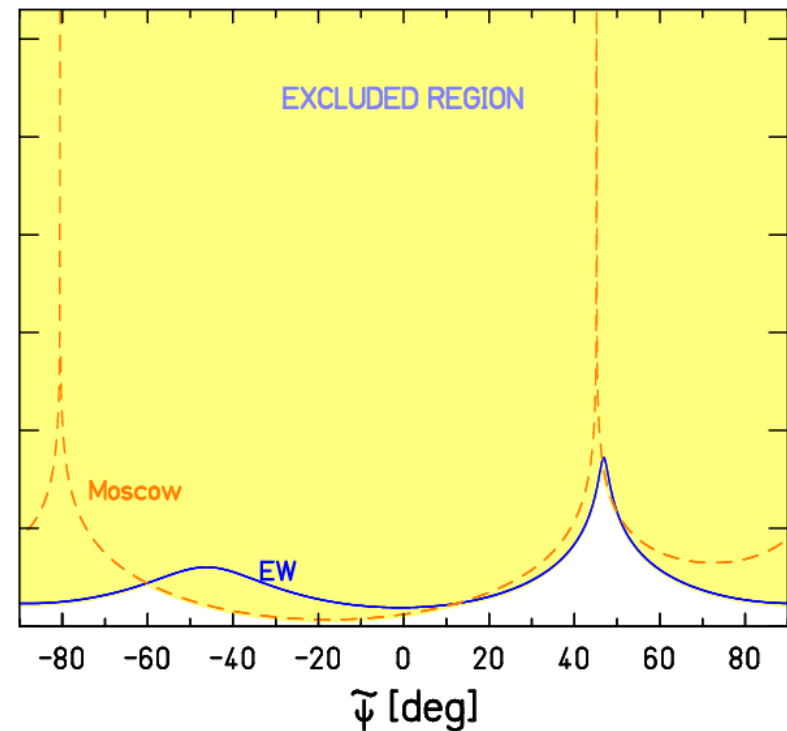
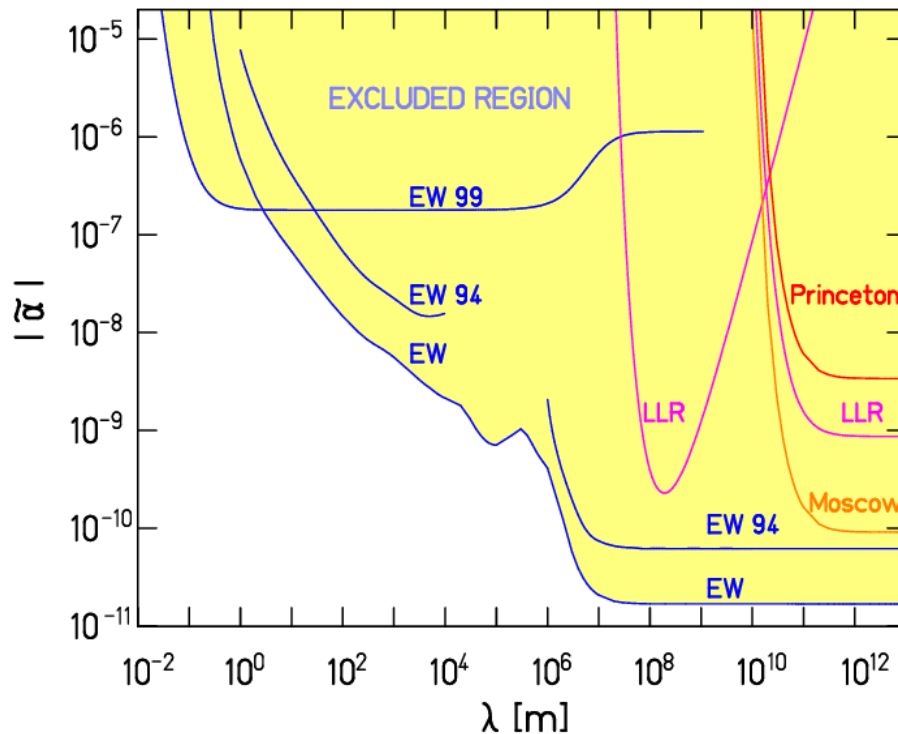


# Current results

Eotvös  
parameter  $\eta = \frac{\Delta a_{\perp}}{g_{\perp}}$

$$\eta(\text{Be, Ti}) = (0.3 \pm 1.8) \cdot 10^{-13}$$
$$\eta(\text{Be, Al}) = (-0.7 \pm 1.3) \cdot 10^{-13}$$

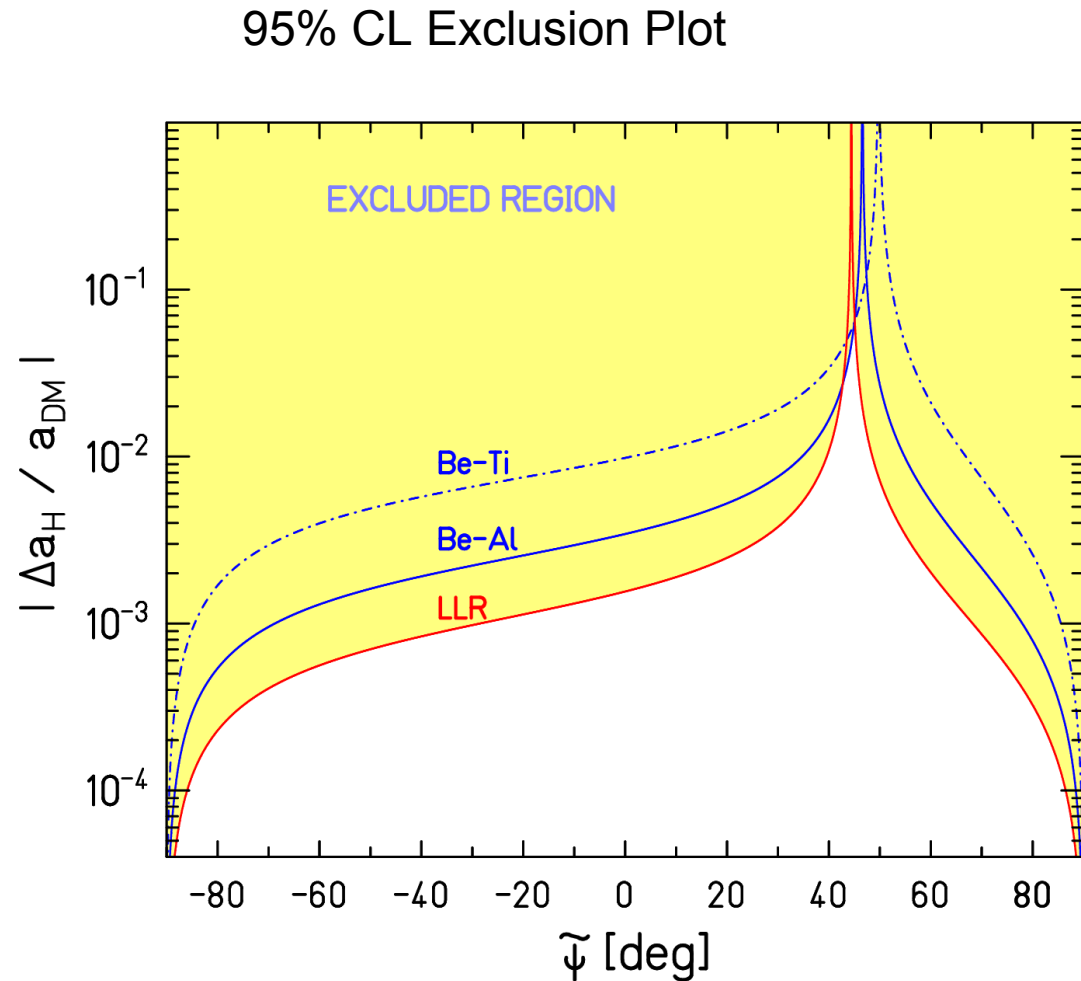
## 95% CL Exclusion Plots



# Is gravity the only force acting between matter and dark matter?

We don't know what dark matter is, and so far the only evidence is gravitational.

Although a large fraction of the total dark matter in our galaxy is located farther out than our solar system, we can set limits on any non-gravitational force between matter and dark matter.



At most 6% of the acceleration could be non-gravitational!

# Next generation EP tests

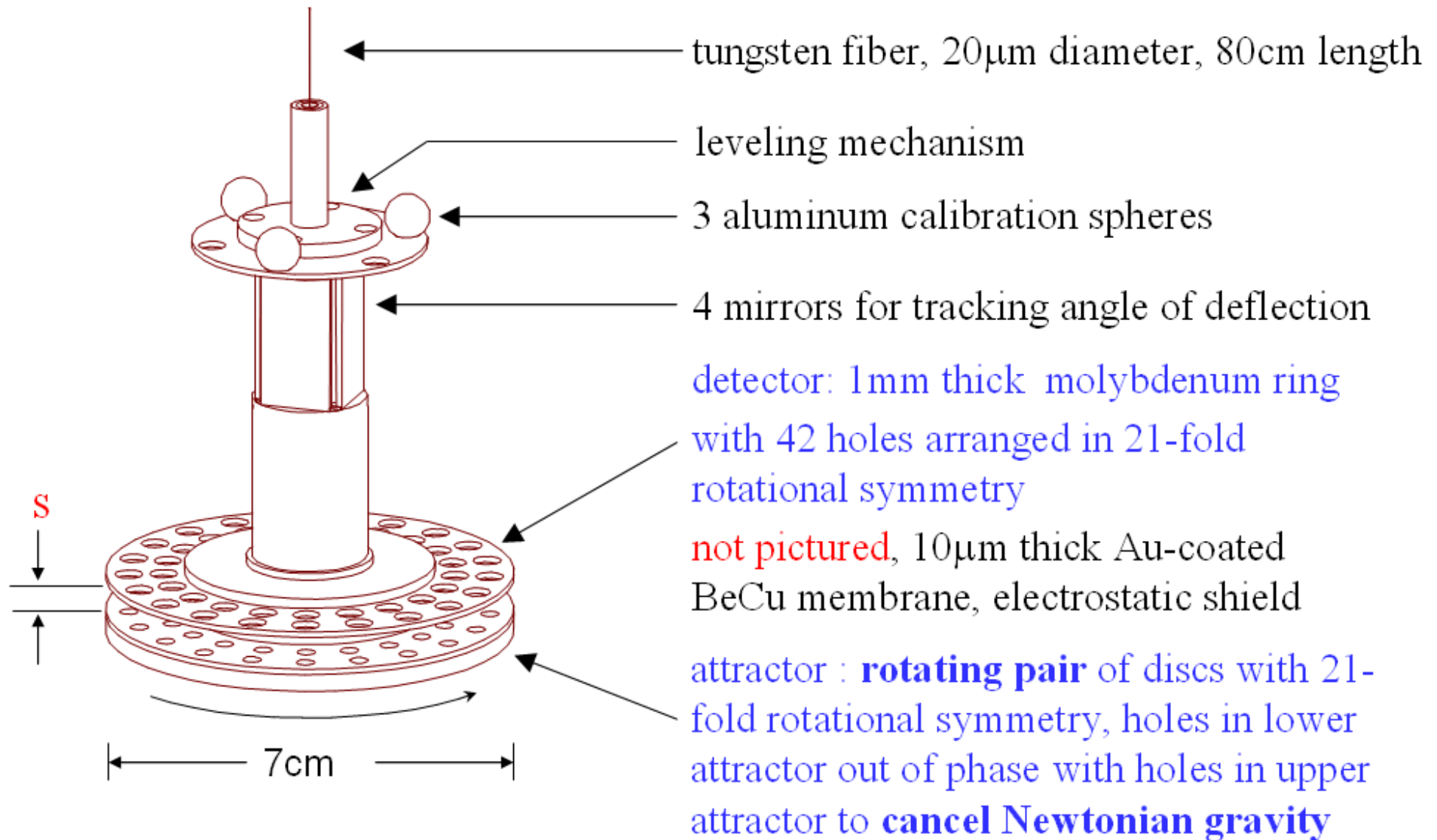
- Basically two ways forward to push the limits of torsion balance experiments for EP tests:
  - Increase the signal by using more sensitive test body material pairs, for example Be - PE
  - Reduce the noise floor: quartz fibers, cryogenic torsion balance
- Significant (order of magnitude) improvements over our current limits are possible.

# Testing the inverse-square law

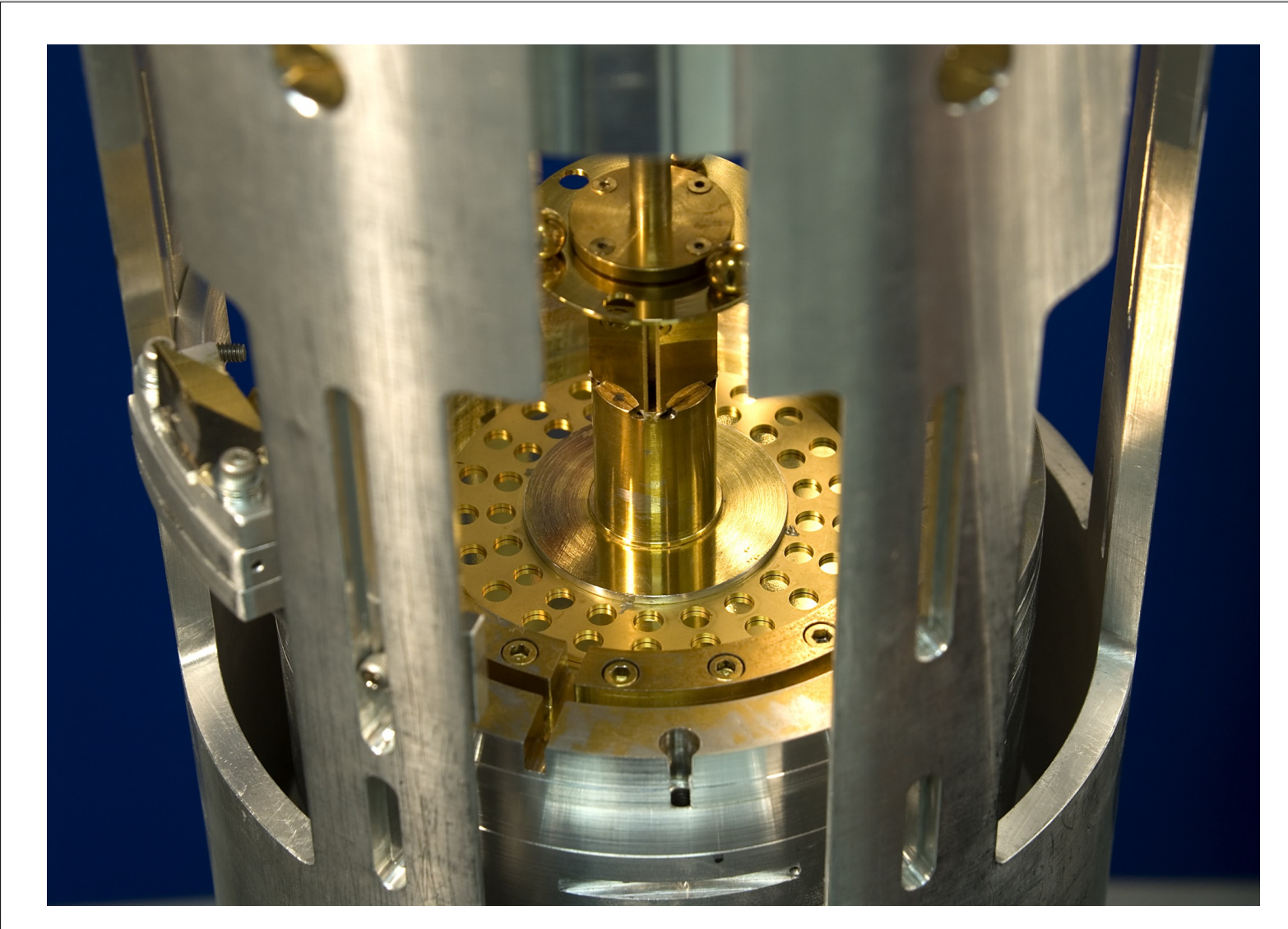
- We seem to be missing something big in terms of understanding gravity!
- Hierarchy problem
- Dark energy
- Extra dimensions?
- Fat graviton hypothesis
- Dilaton
- Chameleons
- ...



# The 42-hole pendulum

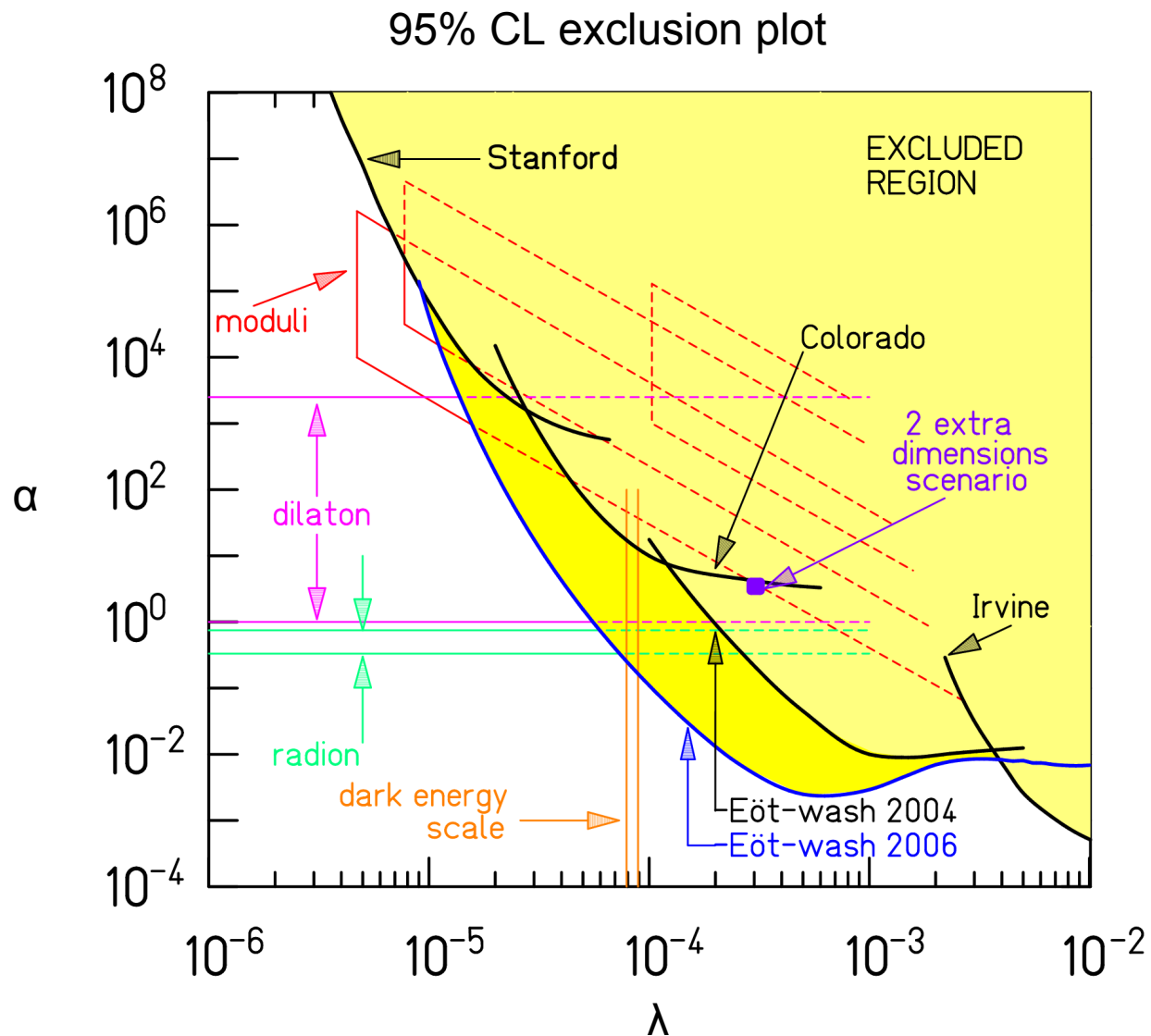


# The 42-hole pendulum



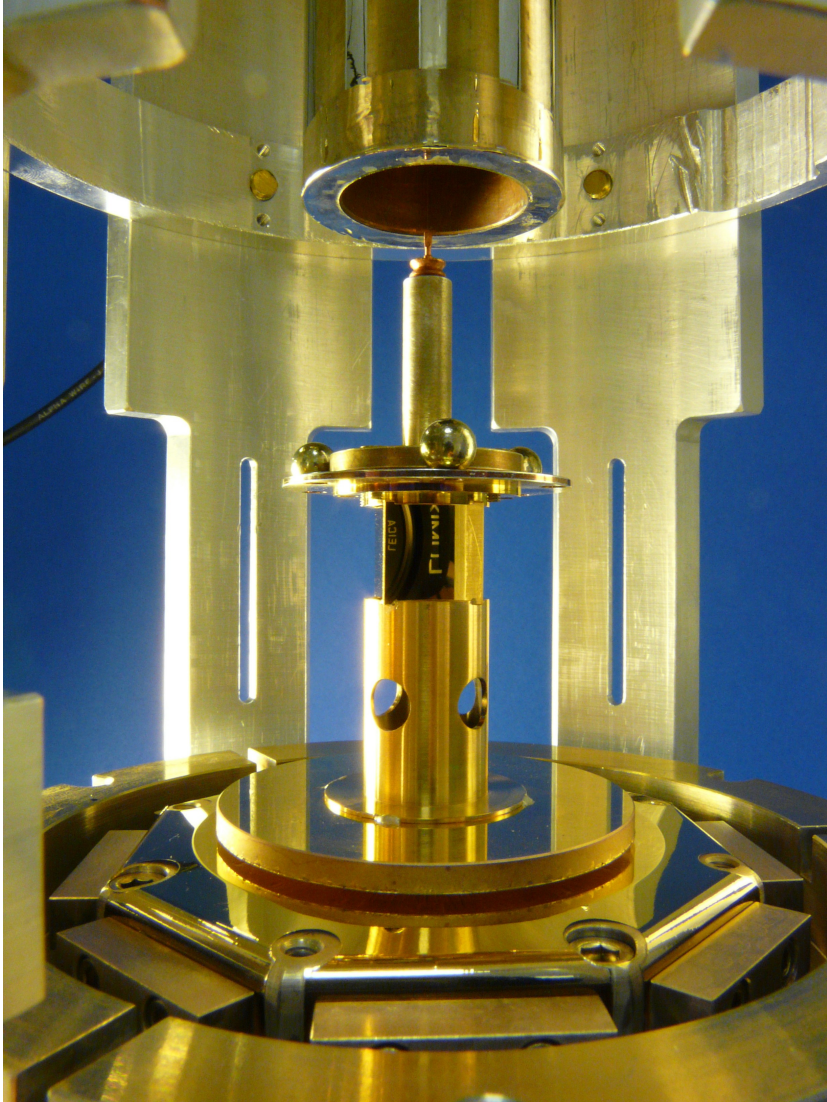
Mary Levin photo

# Results

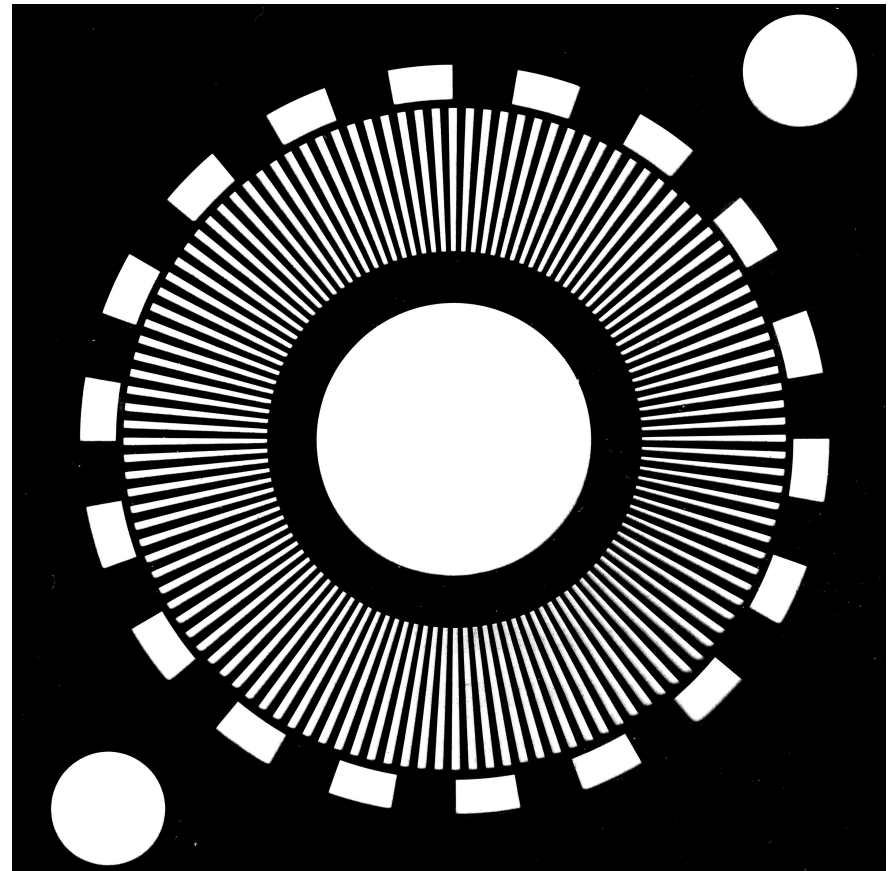




# Upgrade: Fourier-Bessel pendulum



pendulum & attractor are 50 $\mu$ m thick tungsten foils glued to glass plates



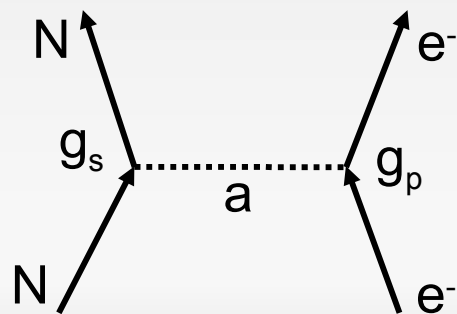
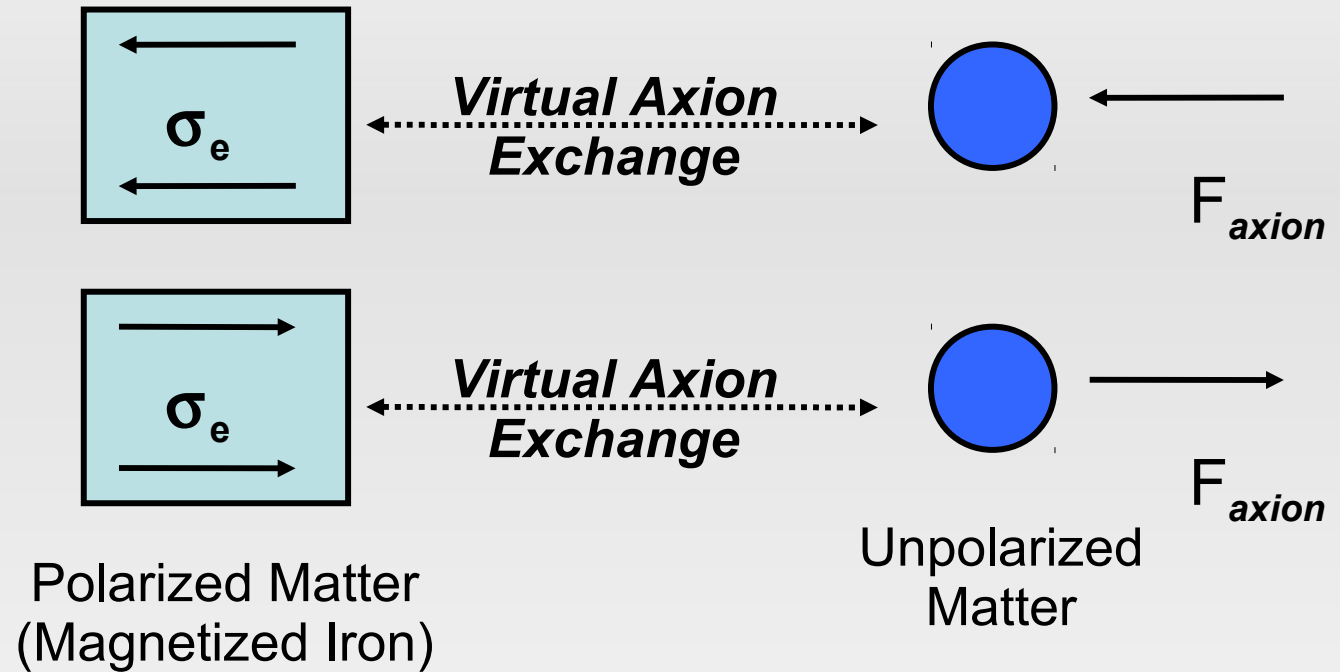
PhD project of Ted Cook



# A macroscopic parity and time-reversal violating force?

Virtual axions mediate a **macroscopic** P,T violating force between polarized electrons and unpolarized nucleons

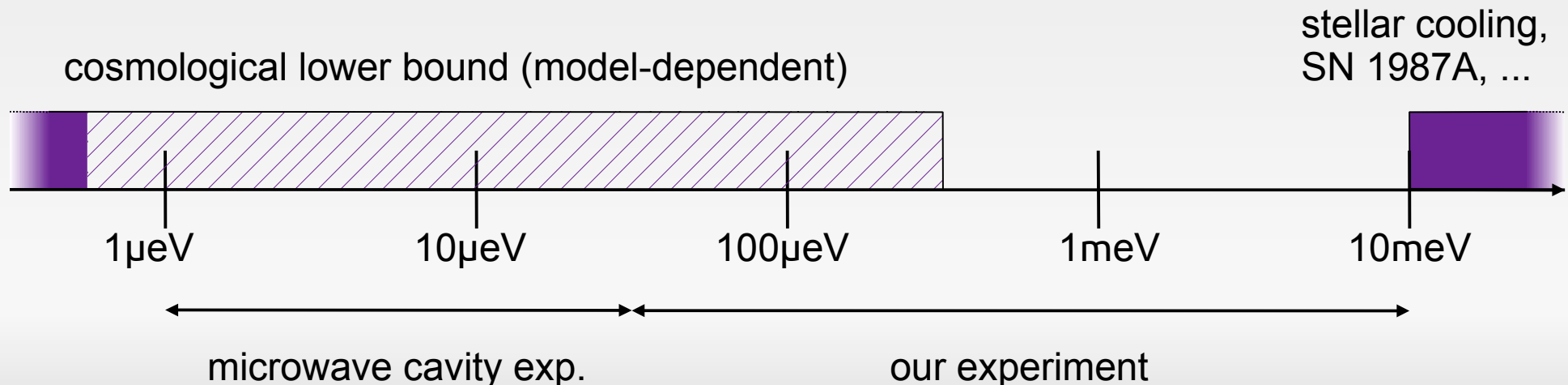
Moody and Wilczek  
PRD **30** 130 (1984)



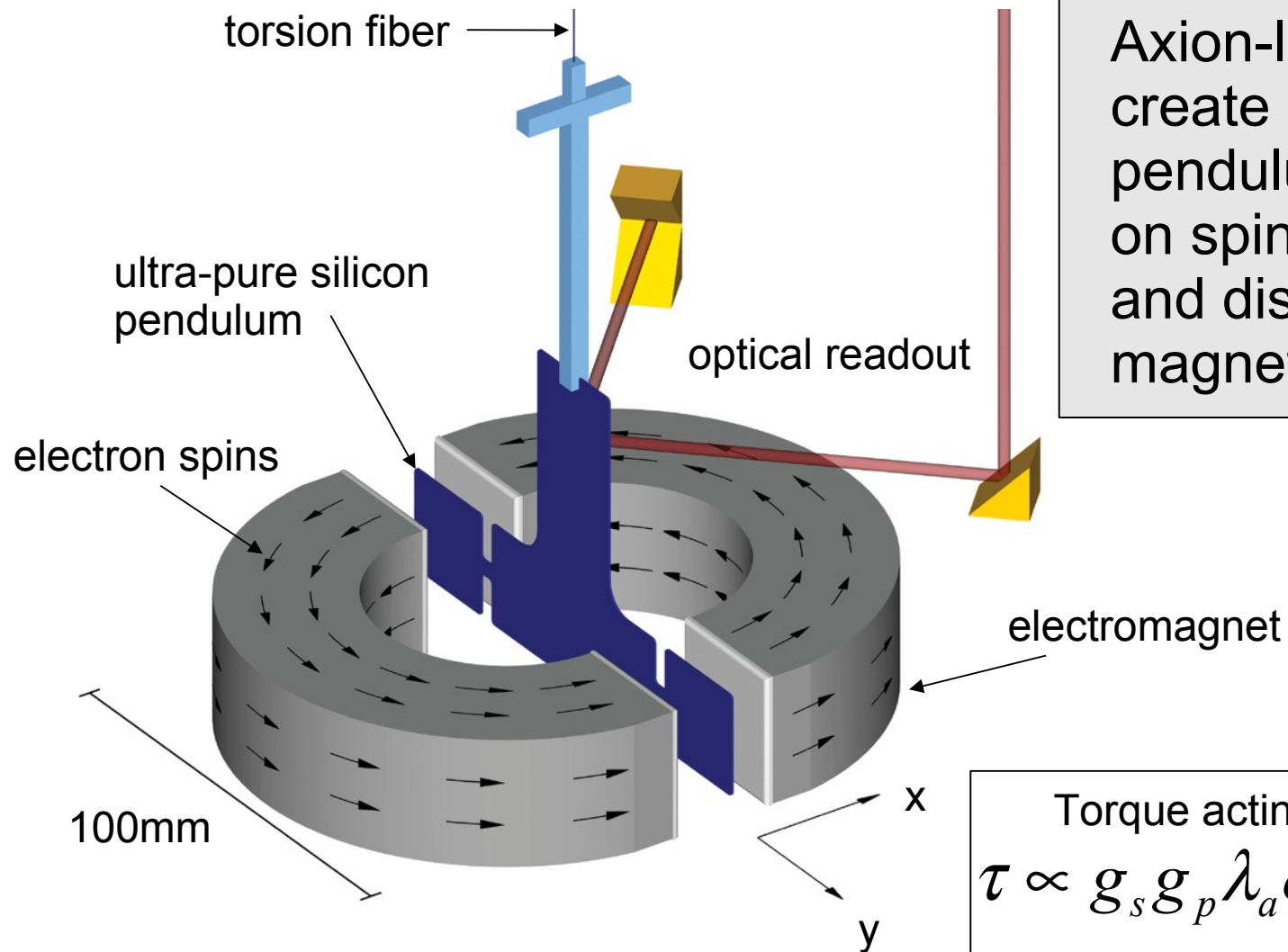
$$V(r) = \overbrace{(30 \text{ MeV}) \frac{g_s g_p}{f_a f_a}}^{} \frac{\bar{\theta}}{8\pi m_e} \frac{\hat{\sigma} \cdot \hat{r}}{\left( \frac{1}{\lambda_a r} + \frac{1}{r^2} \right)} e^{-r/\lambda_a}$$

# The „axion window“

- upper limits on axion mass:
  - stellar lifetimes
  - SN 1987A
- lower limit:
  - too many axions produced in the early universe if mass is small – depends on cosmological models



# The axion torsion balance



Axion-like particles will create a torque on the pendulum, depending on spin orientation and distance to the magnet's pole faces.

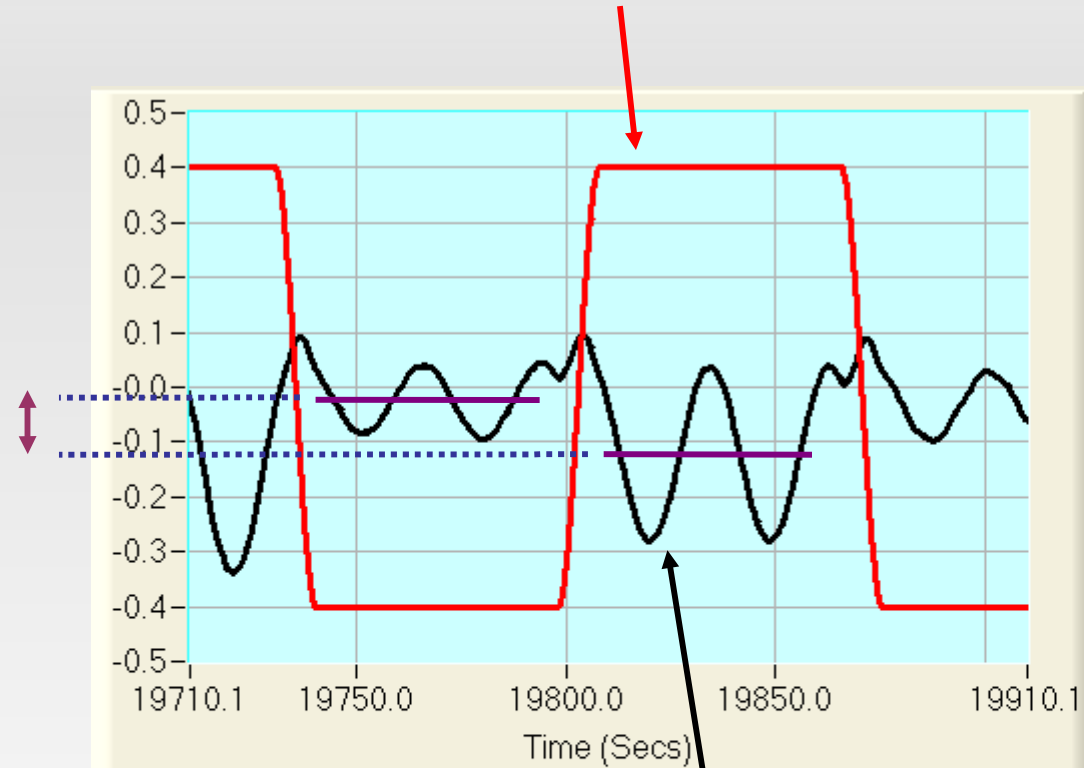
Torque acting on the pendulum:

$$\tau \propto g_s g_p \lambda_a e^{-g/\lambda_a} (1 - e^{-t/\lambda_a})$$

# Measurement strategy

Magnet Current (Amps/10)

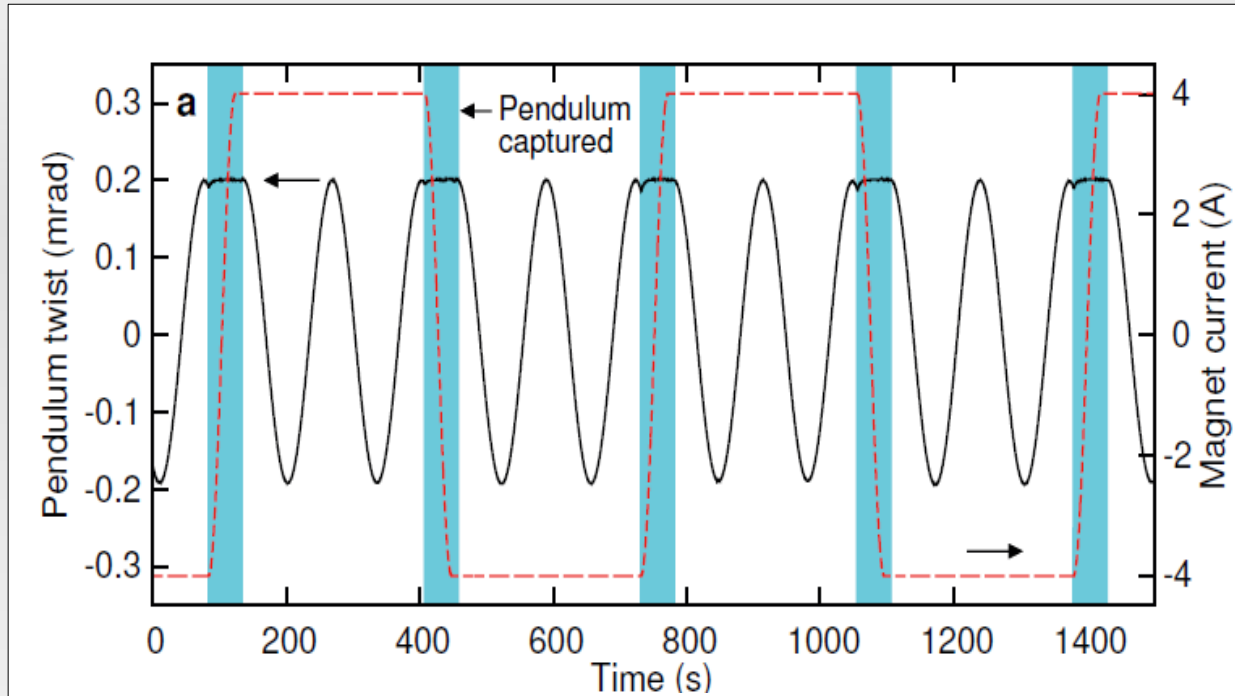
Signal is offset difference  
between positive and  
negative magnet states  
(here strongly exaggerated)



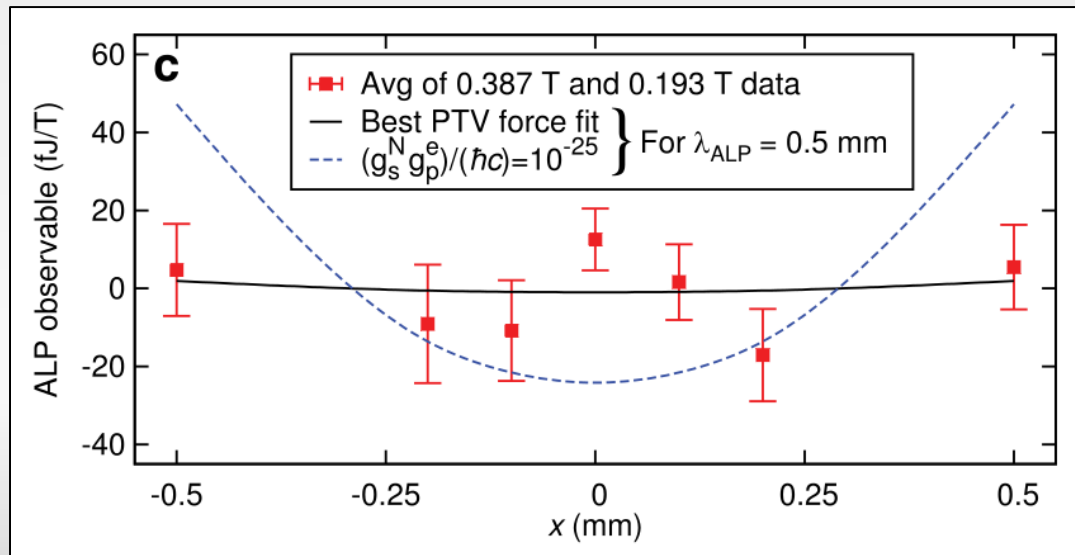
Pendulum Angle (milli-radians/10)

For each magnet state, we fit for the  
frequency, offset and phase.

# Real data

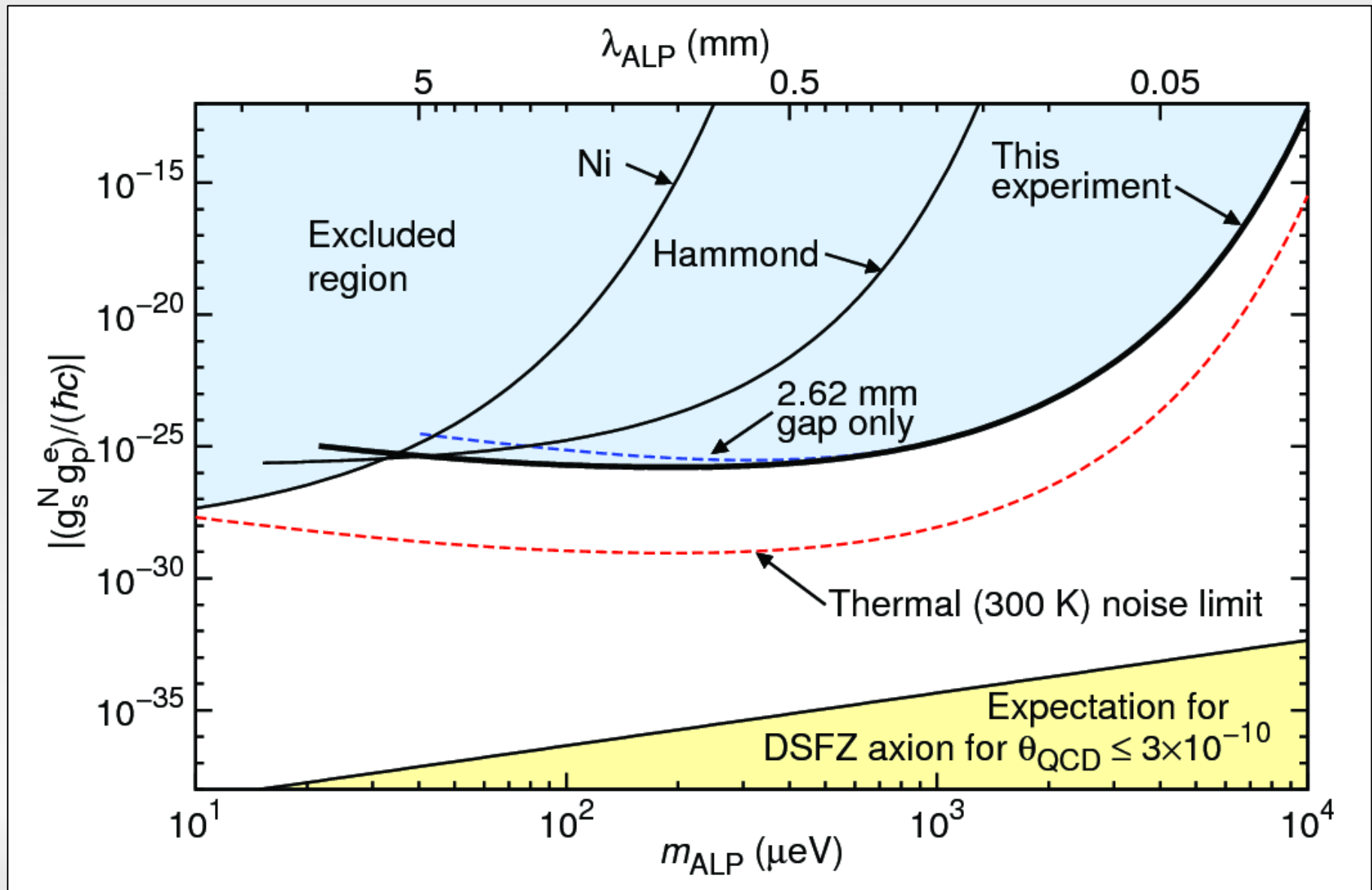


a few cycles of typical data



an axion-mediated force has a specific dependence on the distance to the magnet pole faces

# Results



# Summary

- Torsion balances are enormously sensitive probes of new forces with sub-gravitational strength.
- They can provide access to regions of parameter space inaccessible to high energy experiments.
- We are actively working on pushing the limits towards more and more sensitive tests of the equivalence principle and the inverse-square law!
- This allows to set limits on many theories including new scalar, vector or pseudoscalar particles.

# The EotWash group

## **Faculty**

Eric Adelberger  
Jens Gundlach  
Blayne Heckel

## **Staff**

Erik Swanson

## **Junior Research Faculty**

Frank Fleischer

## **Postdocs**

Krishna Venkatesdwara

## **Grad students**

Ted Cook  
Charlie Hagedorn  
William Terrano  
Matt Turner  
Todd Wagner  
John Lee

## **Undergraduate students**

Sasha  
Trevor

Primary support from NSF with supplement from the DOE

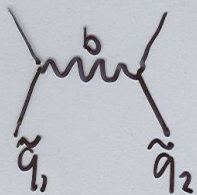
# Thank you for your attention!



## 2 WAYS TO THINK ABOUT EP TESTS

- test a key prediction of Einstein's theory of gravity  
is  $m_i = m_g$  ?
- assume EP is exact for gravity; use tests to probe for new quantum exchange forces even weaker than gravity

any quantum exchange force will violate the EP



$$F_{12} \propto \tilde{q}_1 \tilde{q}_2 \frac{1}{r^2} \left(1 + \frac{r}{\lambda}\right) e^{-r/\lambda}$$
$$\lambda = \frac{\hbar}{m_b c}$$

$$a_i = \frac{F_{12}}{m_i} \propto \frac{\tilde{q}_1}{m_i}$$

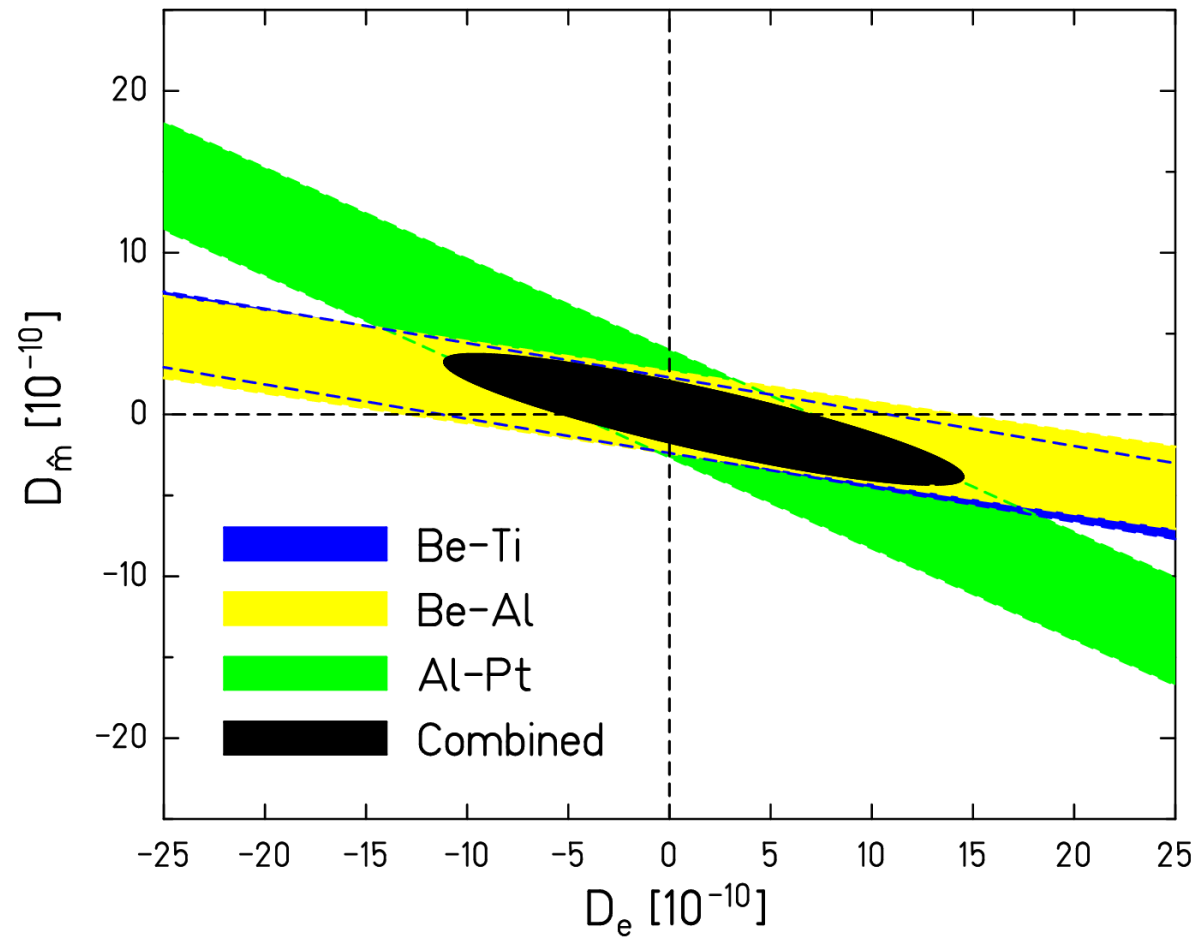
← "charge"-to-mass ratio cannot be exactly the same for all objects!

recall EM

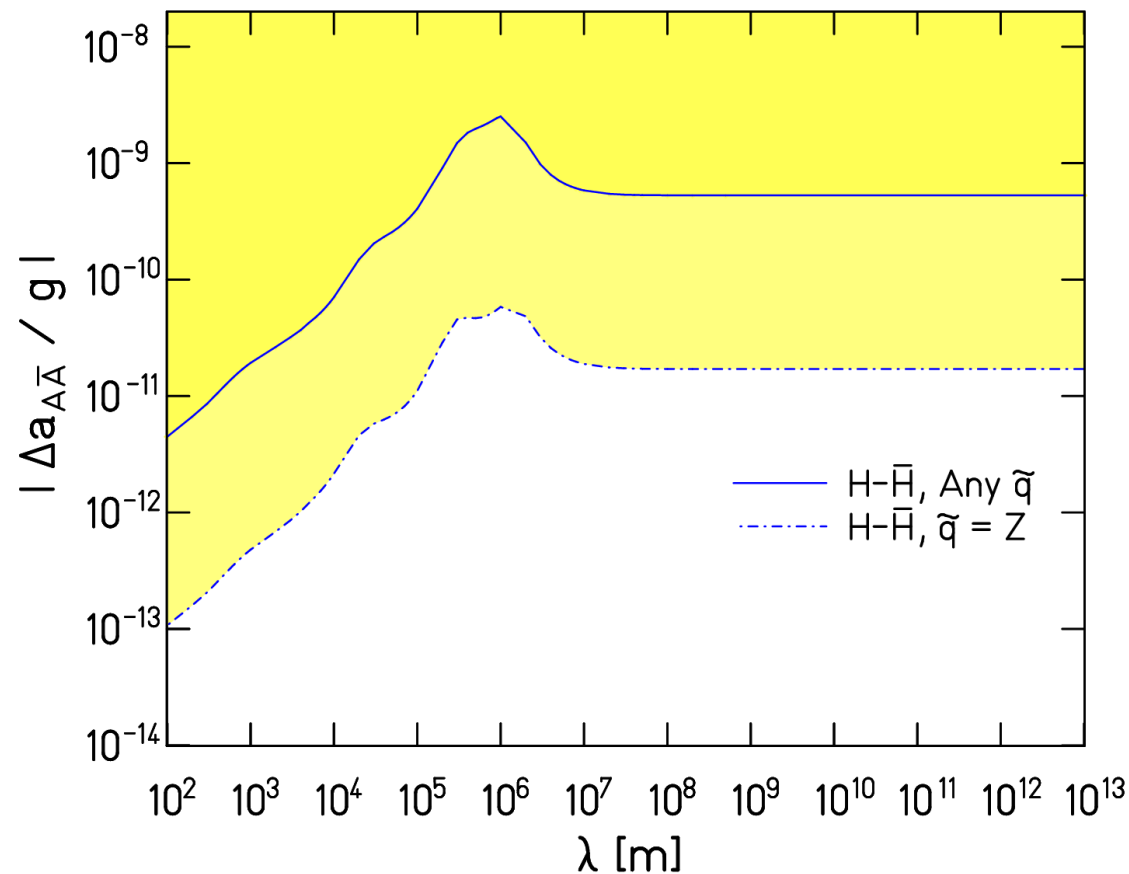
$$(q/m)_{\text{electron}} = -(q/m)_{\text{positron}} \approx -2000 (q/m)_{\text{proton}}$$

- most of the ideas for solving the big problems in physics  
Predict effects that could show up in EP tests  
e.g. string theory dilaton

# Dilaton limits



# Implications for the free fall of anti-hydrogen



# State of the art


- Our group at UW started looking for EP violations after a reanalysis of the Eötvös data by Fischbach et al., claiming evidence of a "fifth force" with finite range.
- Most recent published result\*:
  - rotating torsion balance
  - employing different source masses
    - local topography
    - earth
    - sun
    - galaxy
  - sensitive to forces with  $\lambda$  from  $\sim 1\text{m}$  upward

\* Schlamminger *et al.* 2009

# Increasing the sensitivity

- Significant gain in sensitivity possible with a "hydrogen-rich" test body
- Promising material: UHMWPE – Ultra-High Molecular Weight PolyEthylene

$\times 10^{-2}$	Be	PE	Al	Ti	Cu	Pt
Be		-12.65	-3.80	-1.58	-1.25	4.40
PE	-12.63		8.85	11.07	11.40	17.05
Al	-3.59	9.03		2.22	2.54	8.20
Ti	-1.33	11.29	2.26		0.32	5.98
Cu	-1.01	11.62	2.59	0.33		5.65
Pt	4.55	17.18	8.15	5.89	5.56	

  $\Delta(Z/\mu)$

  $\Delta(N/\mu)$

# Reducing the noise

- An inherent limitation for torsion balance experiments is thermal noise

$$\tau^2(\omega) \propto 4 \frac{kT}{\kappa Q \omega}$$

cooling to 4K: factor ~60

factor ~100

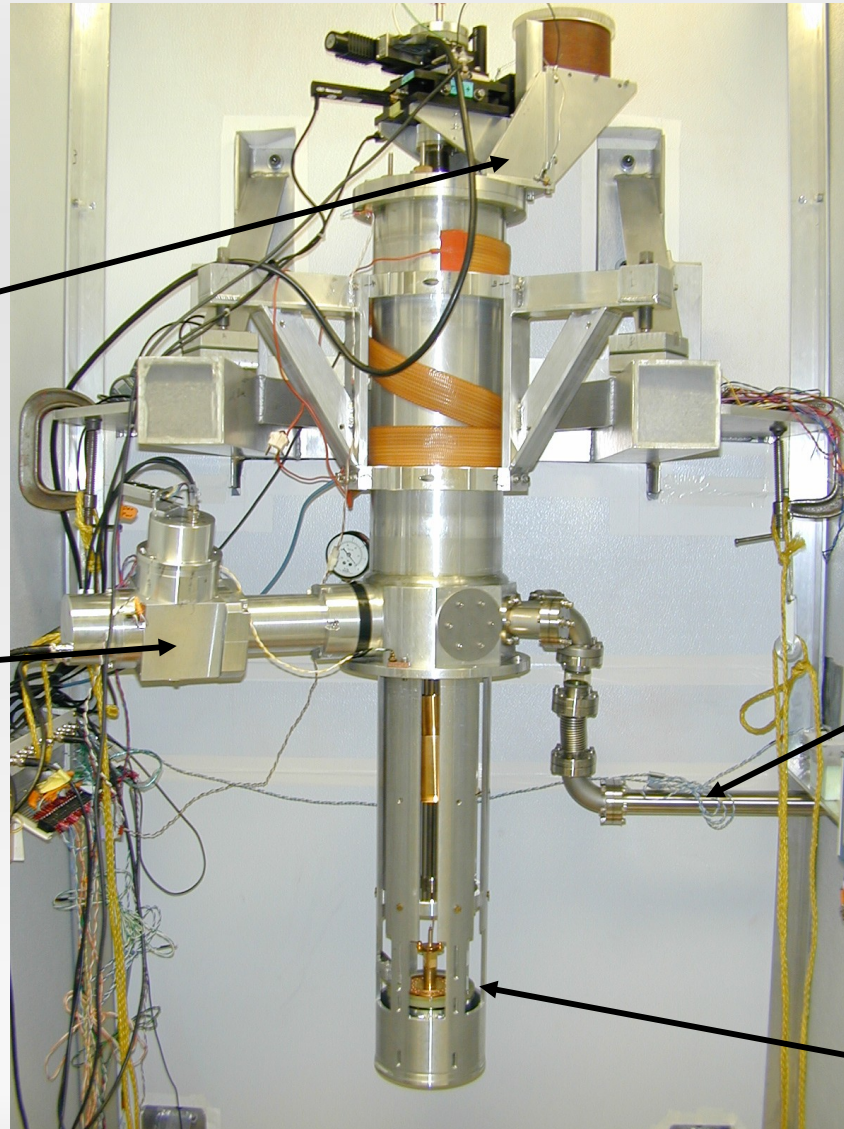
- Cooling helps in two respects:
    - lower temperature  $T$
    - Higher values of  $Q$  possible at low temperatures: values of order  $10^5$  reported with metal fibers at 4.2K
- **Build a cryogenic torsion balance to investigate operation at low temperature!**



# The apparatus

suspension fiber  
attached here

optical system  
for measuring  
pendulum twist

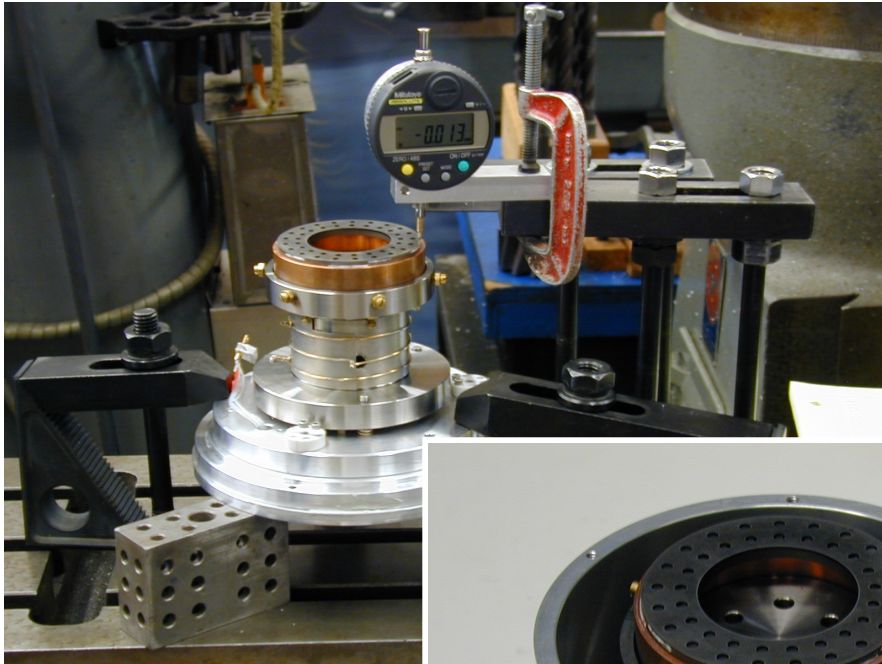


The whole instrument  
is located inside a  
temperature-controlled  
box.

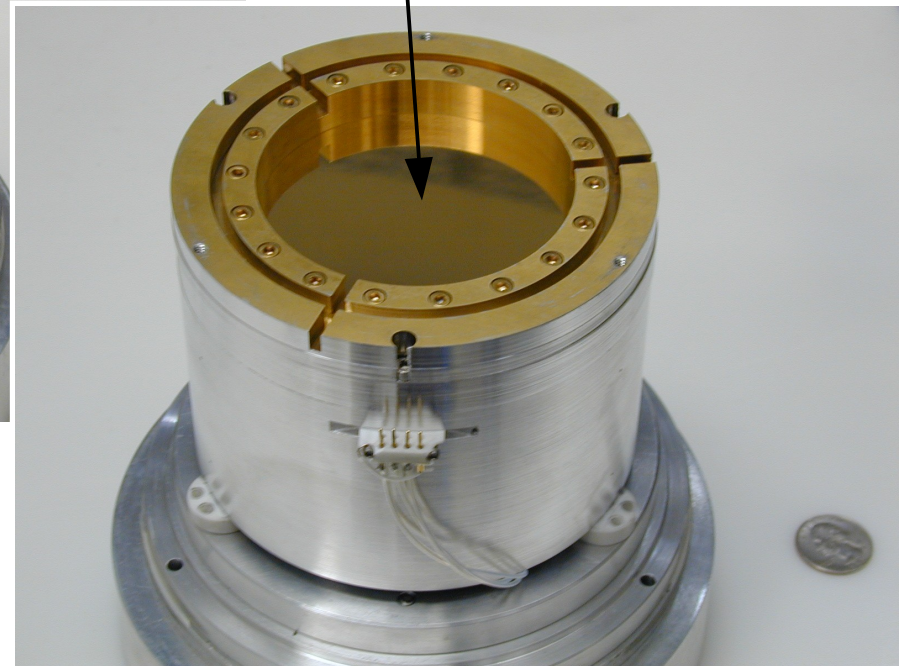
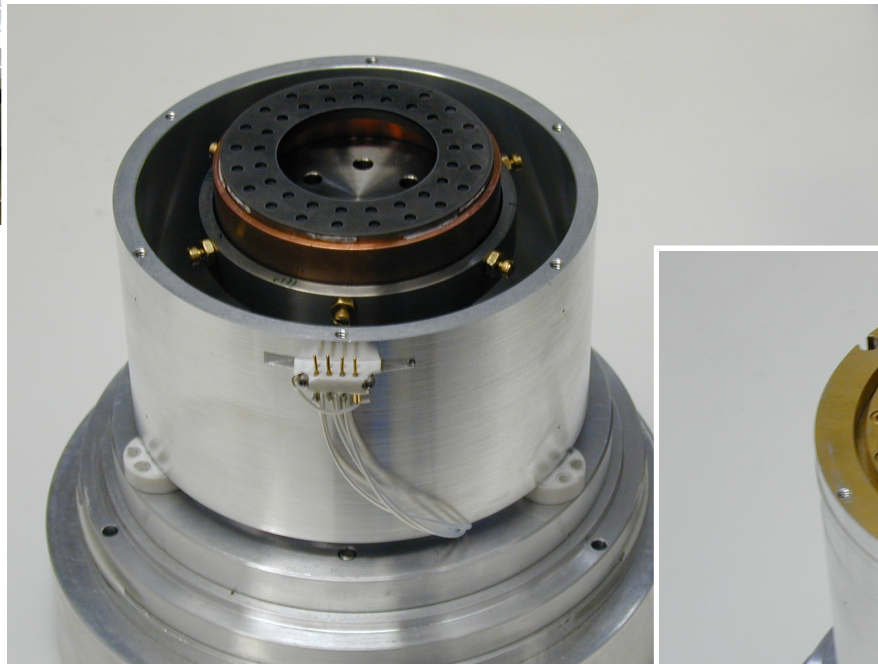
to vacuum  
pump

torsion  
pendulum

# rotating attractor and its electrostatic shield

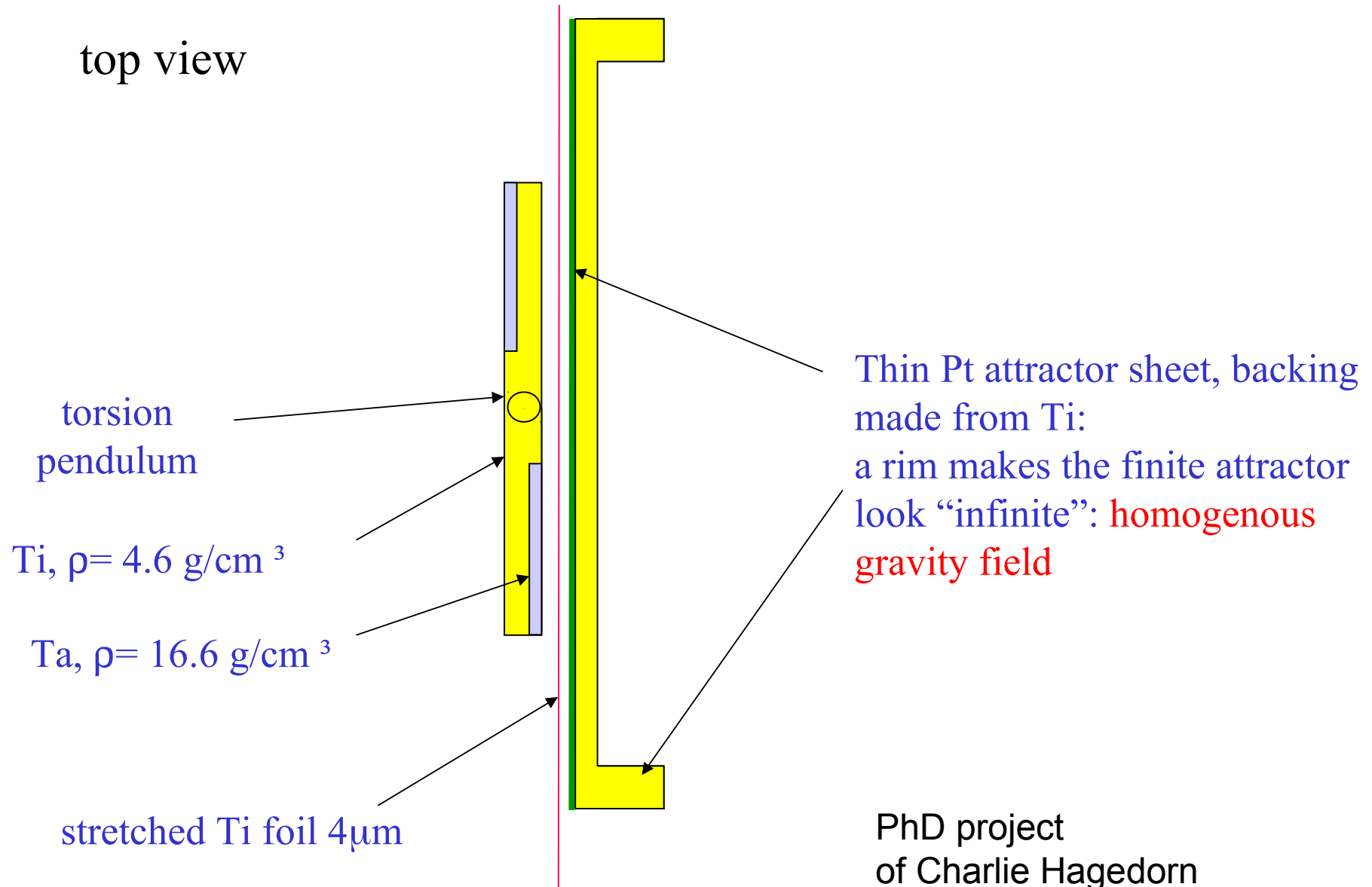


Tightly stretched gold-coated BeCu foil (12 micron above the attractor) provides shielding from electrostatic interactions.

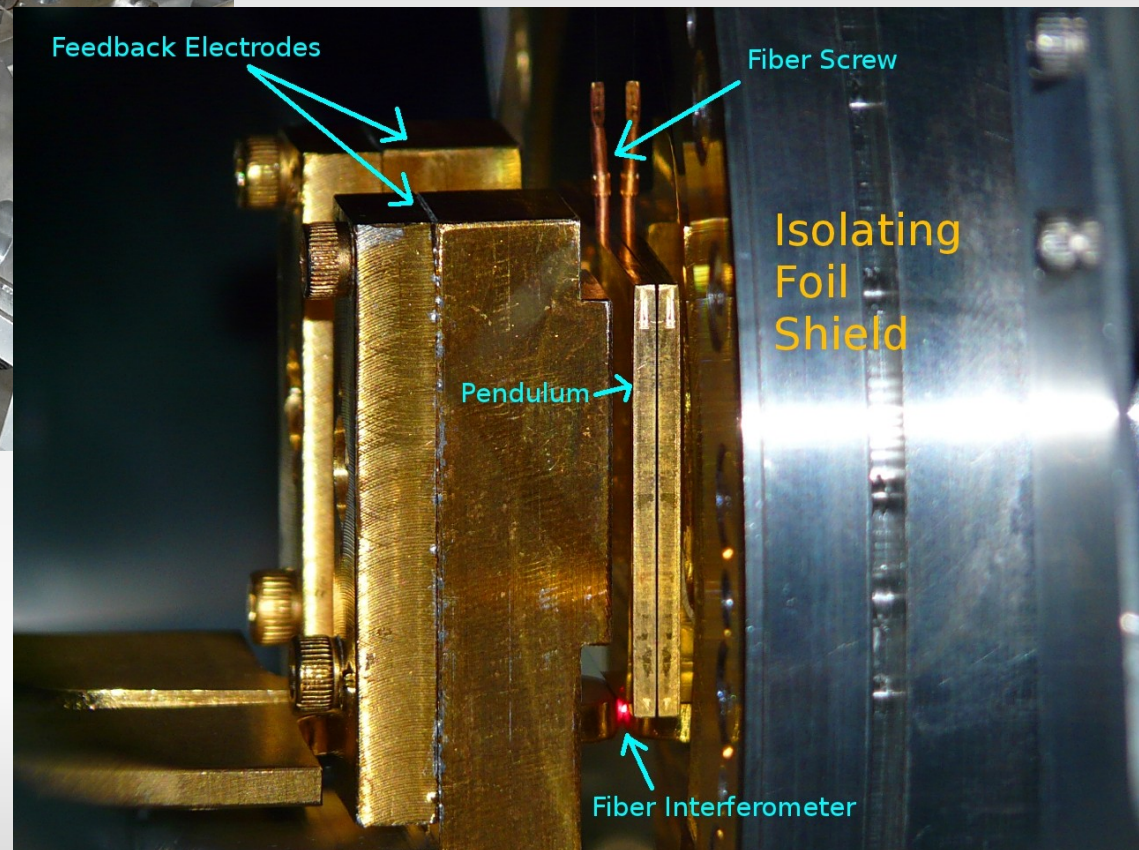
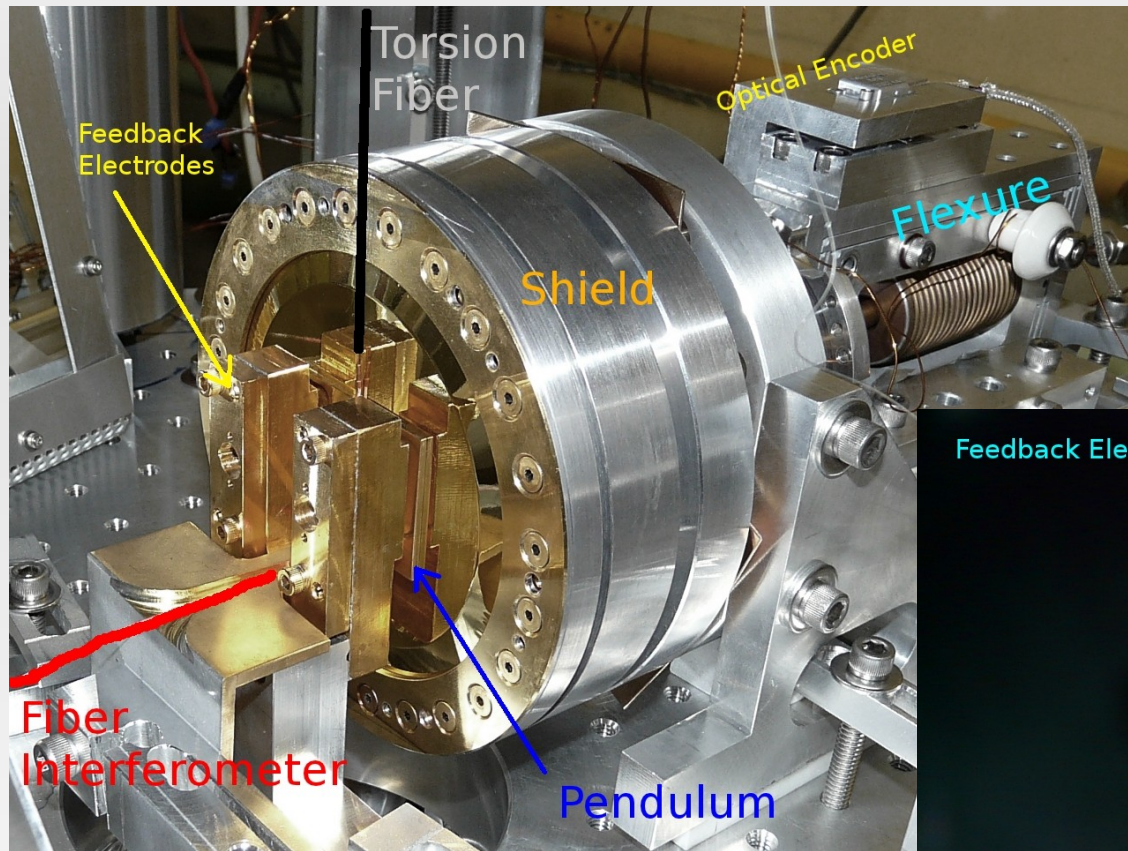




# A different approach I



# A different approach II

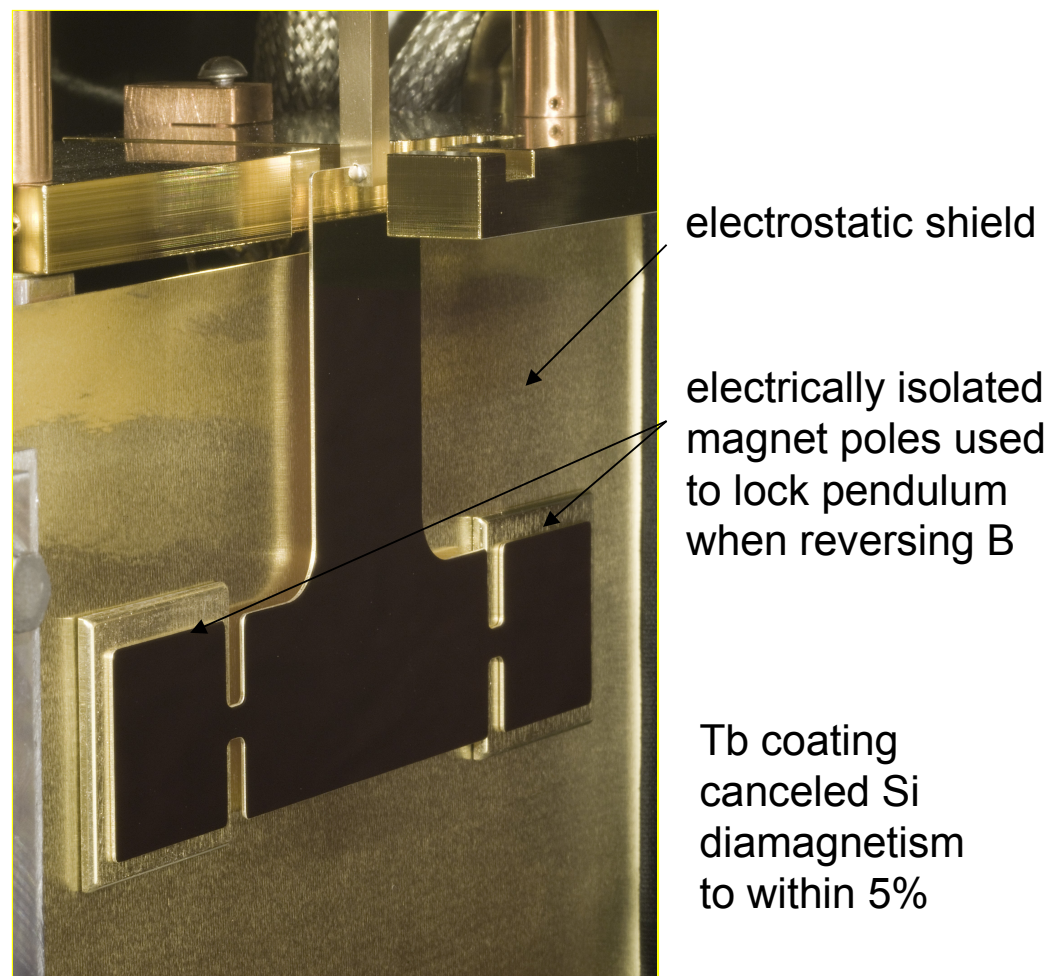
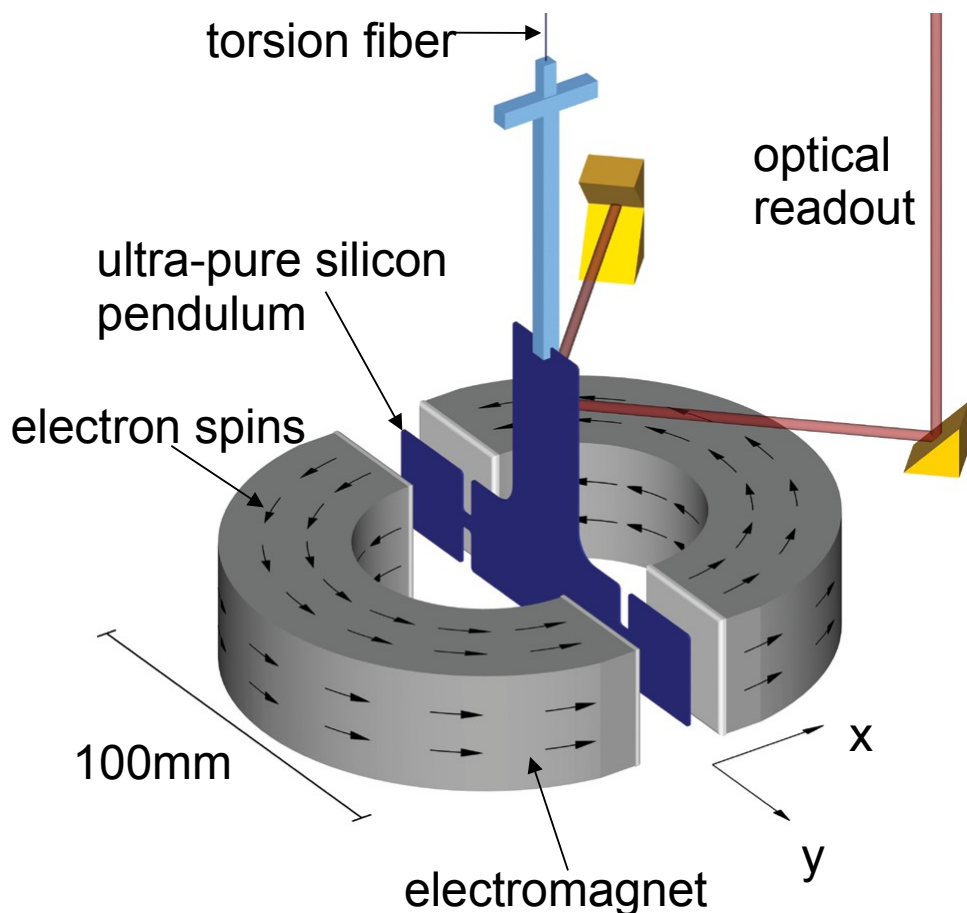




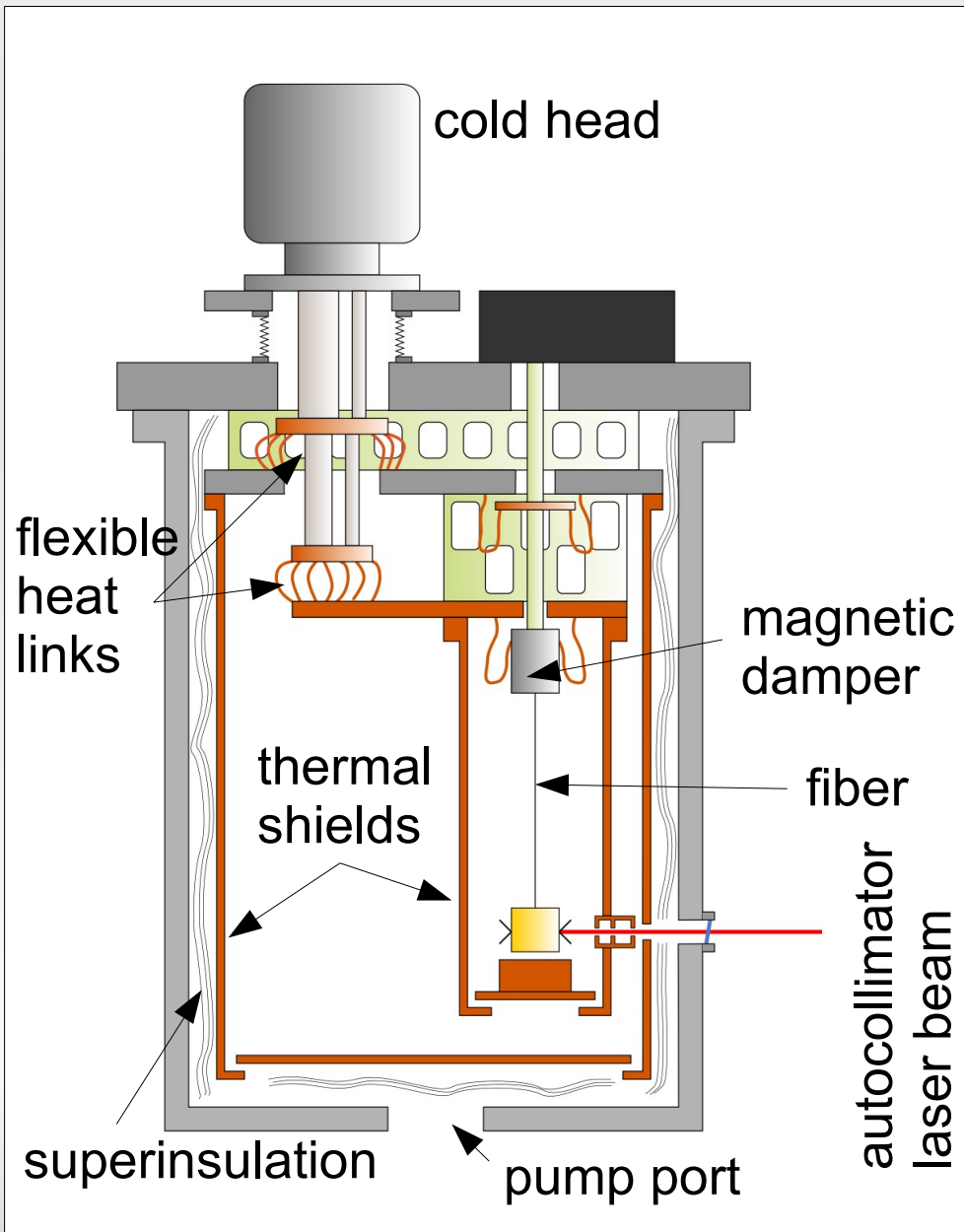
Exchange of virtual axions mediates a monopole-dipole force

$$V(\hat{\sigma}, r) = \frac{\hbar^2(\hat{\sigma} \cdot \hat{r})}{8\pi m_e} \left( \frac{g_s^a g_p^e}{\hbar c} \right) \left( \frac{1}{r\lambda_{\text{ALP}}} + \frac{1}{r^2} \right) e^{-r/\lambda_{\text{ALP}}}$$

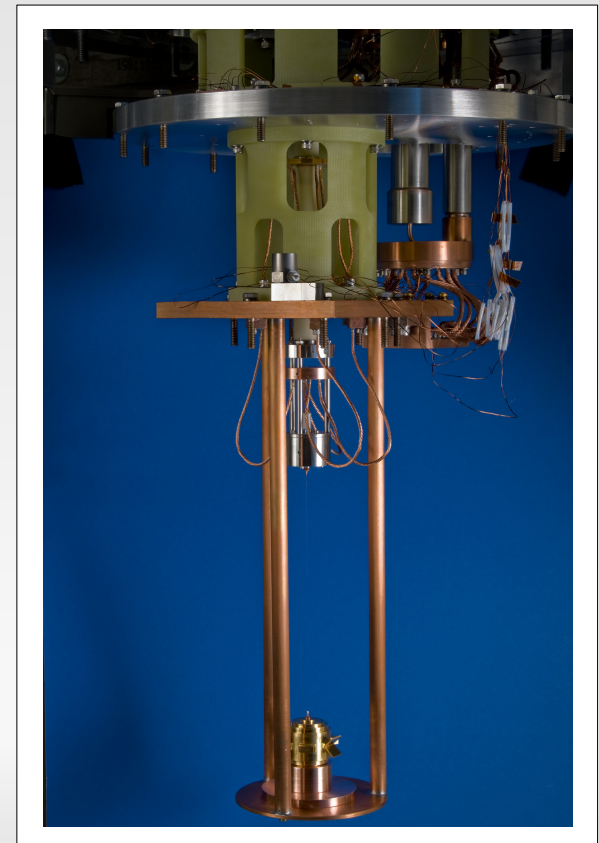
where  $g_s^a$  is proportional to  $\Theta_{\text{QCD}}$



# A cryogenic torsion balance



Use a pulse tube cooler for cooling to cryogenic temperatures



# Early torsion balance experiments

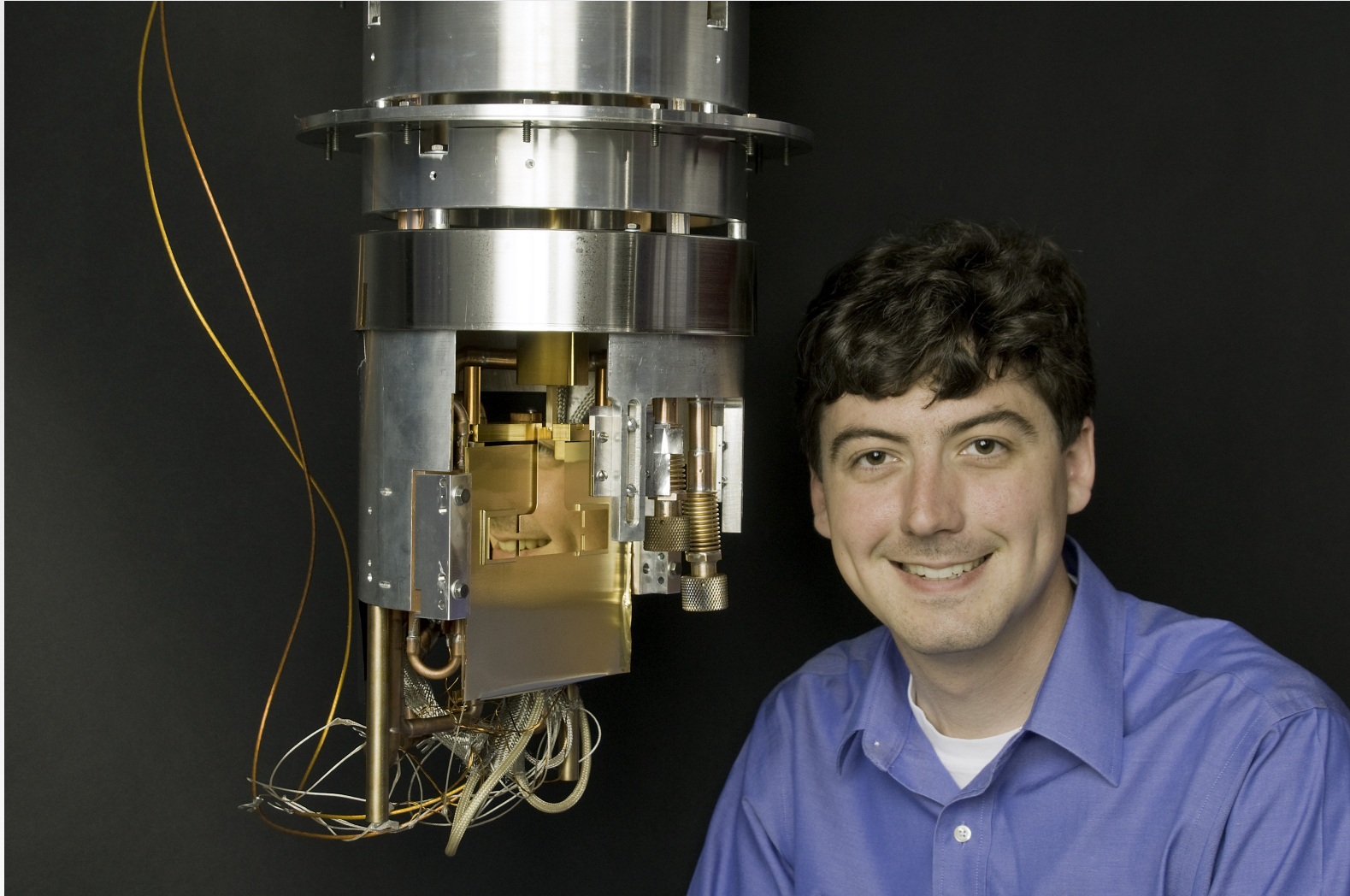
- Loránd Eötvös (1922):
  - various test-body pairs in the field of the earth
  - e.g.  $\eta(\text{Cu}, \text{Pt}) = (4 \pm 2) \cdot 10^{-9}$
- Roll, Krotkov, Dicke (1964):
  - sun as attractor, feedback
  - $\eta(\text{Au}, \text{Al}) = (1.3 \pm 1.5) \cdot 10^{-11}$
- Braginsky, Panov (1972):
  - sun as attractor, no feedback
  - $\eta(\text{Al}, \text{Pt}) = (3 \pm 4) \cdot 10^{-13}$

Reminder:

$$\eta = \frac{\Delta a_{\perp}}{g_{\perp}}$$



# The axion torsion balance



“Improved Constraints on Axion-mediated Forces”, S. Hoedl, F. Fleischer, E. G. Adelberger and B. R. Heckel, *Physical Review Letters* **106**, 041801 (2011).